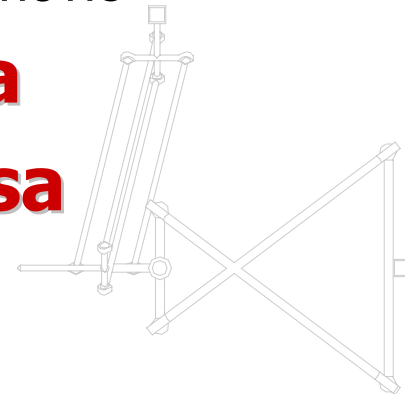
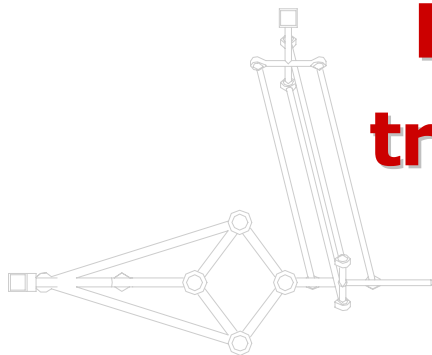


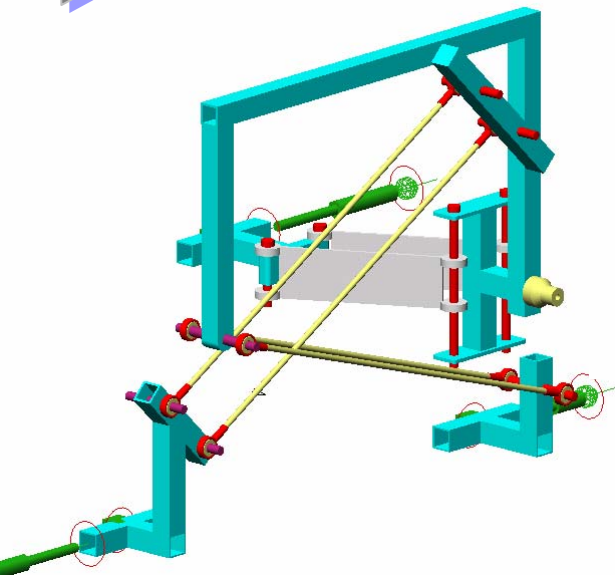
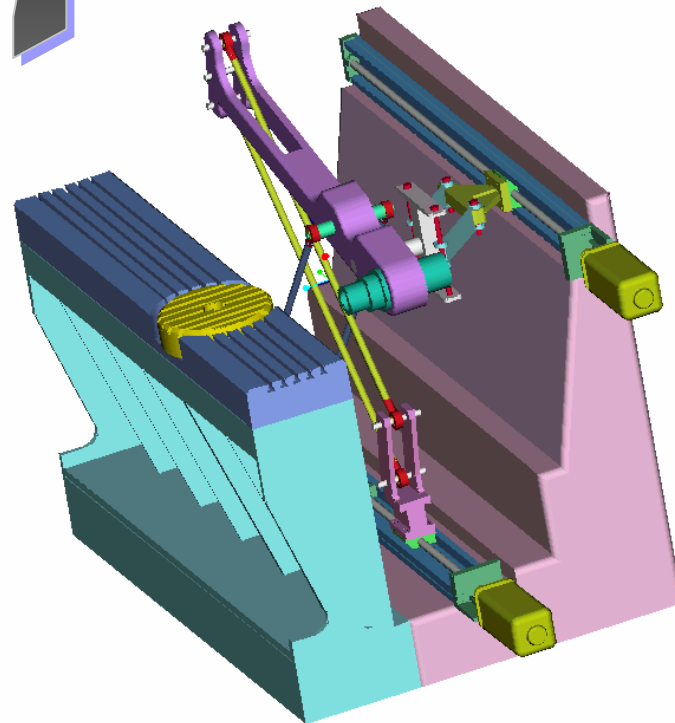
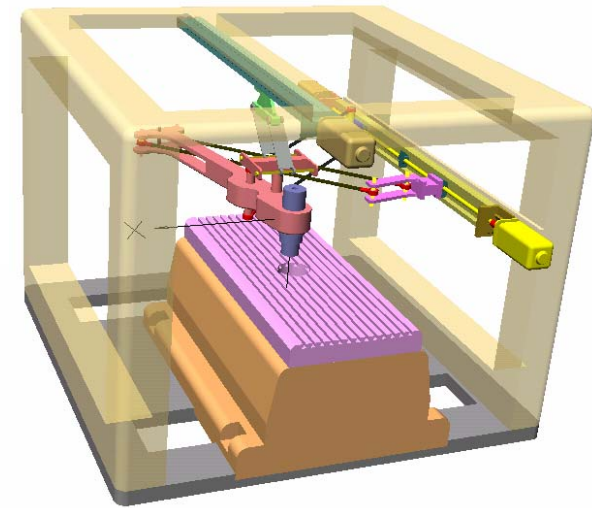
Dr Dragan Milutinović, Dr Miloš Glavonjić, Mr Saša Živanović

**Polazne koncepcije prototipa
troosne horizontalne mašine sa
paralelnom kinematikom**

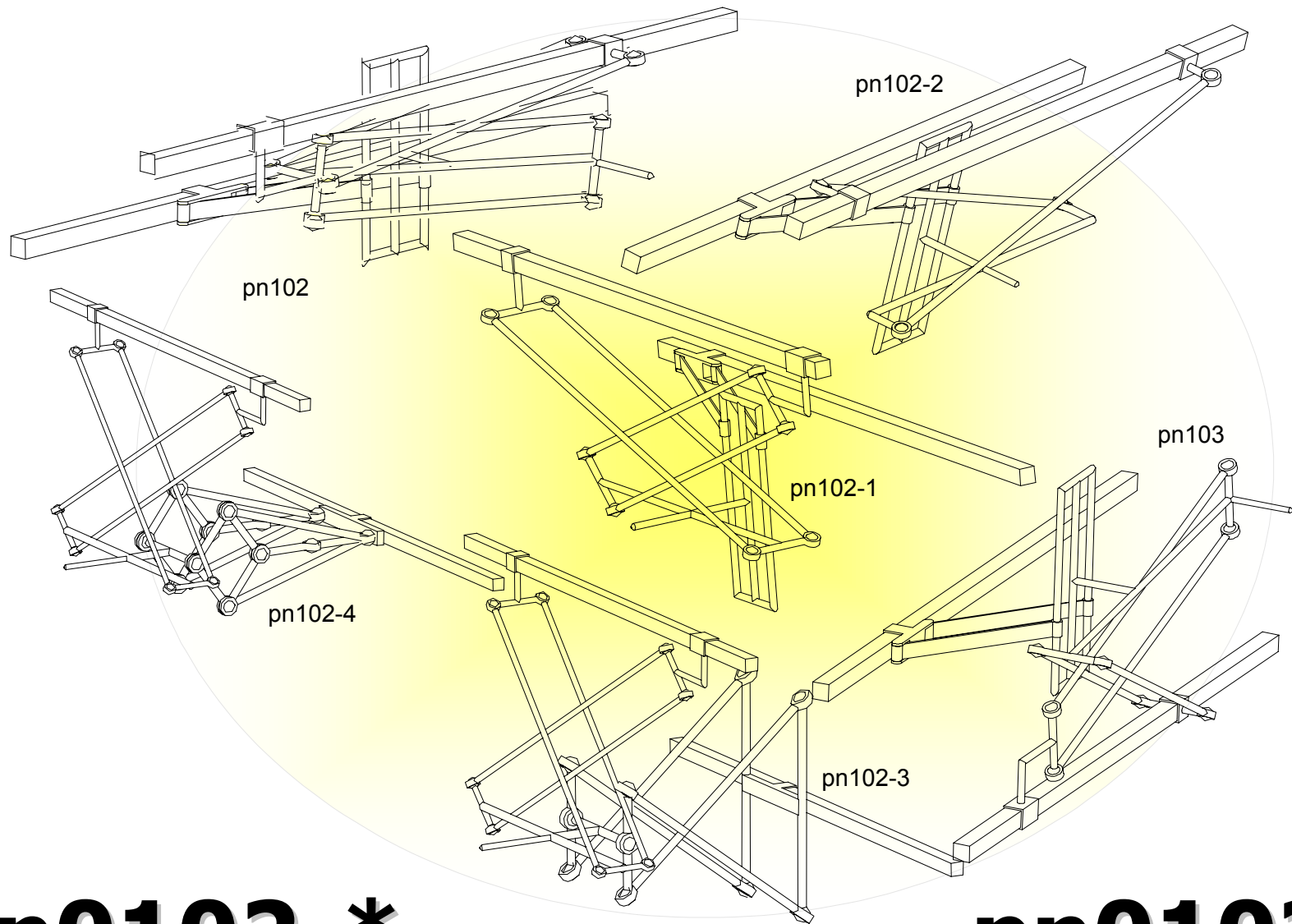


novembra, 2004. godine

PN0101-1-2-3-*



pn0101-*



pn0102-*

pn0103-*

Sadržaj:

Koncepcijsko rešenje za pn102, (spojke gore)

Koncepcijsko rešenje za pn103, (spojke dole)

Koncepcijsko rešenje za pn102-1, (spojke gore)

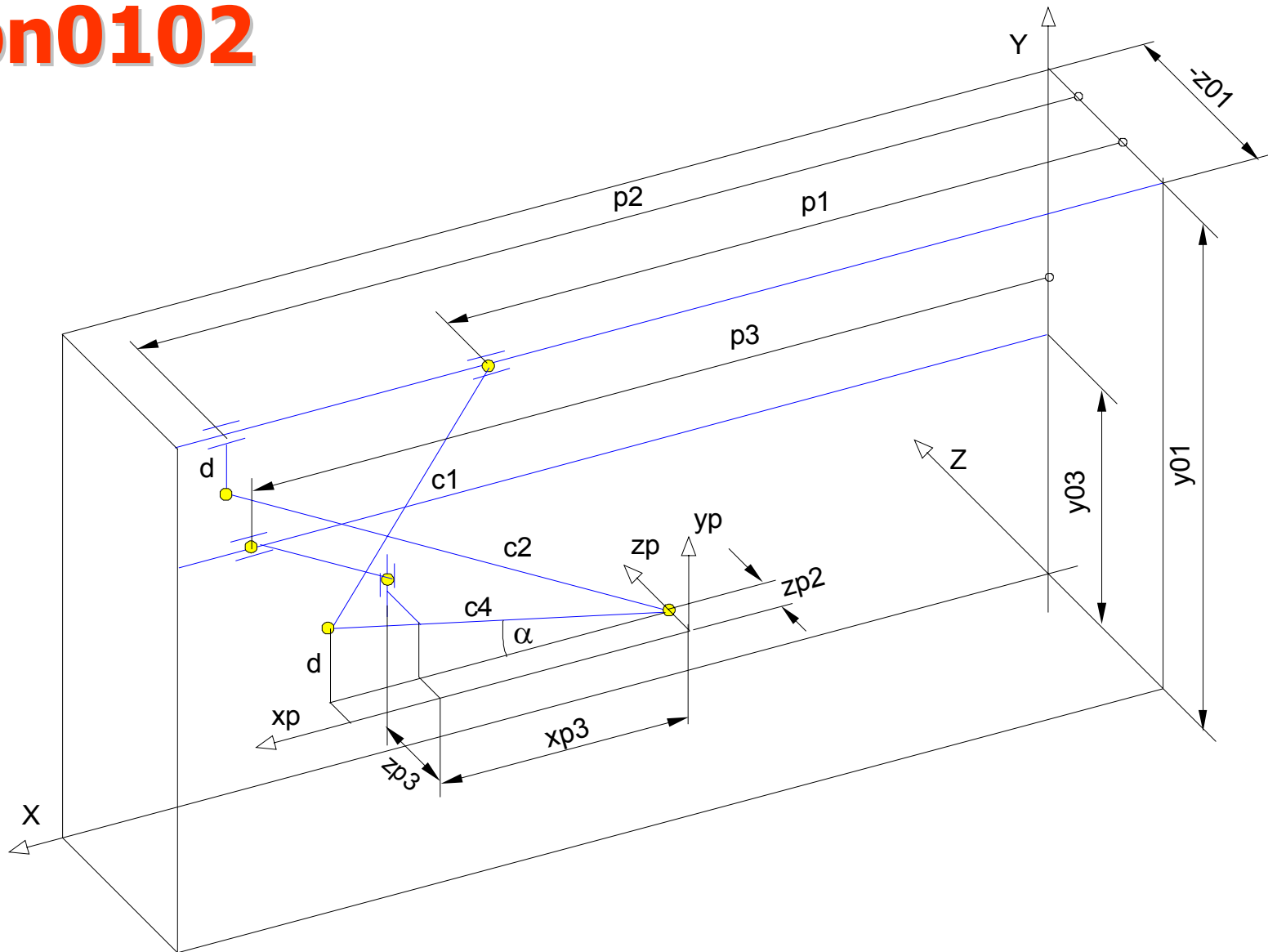
Koncepcijsko rešenje za pn102-2, (spojke gore)

Koncepcijsko rešenje za pn102-3, (spojke gore)

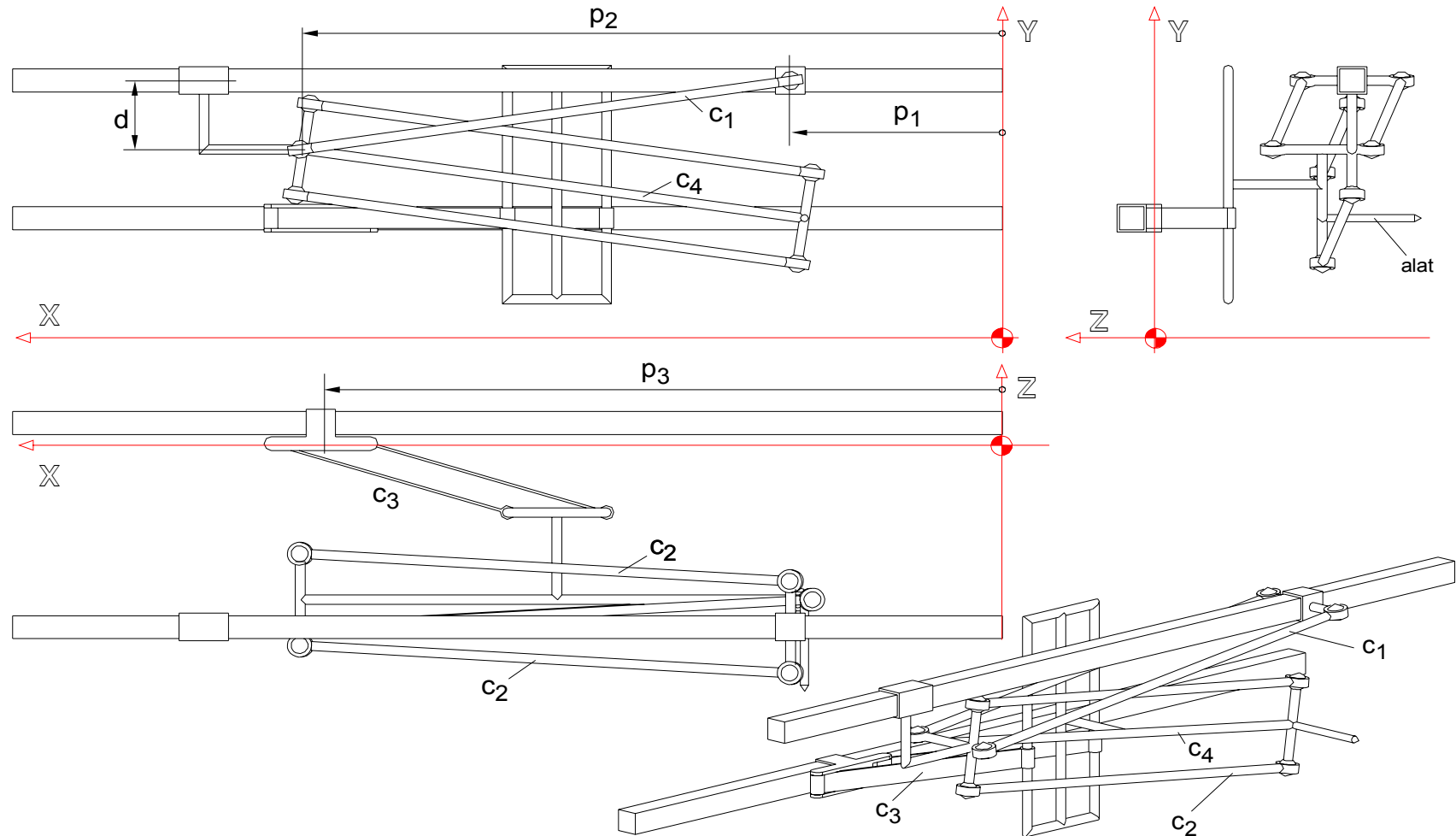
Koncepcijsko rešenje za pn102-4, (spojke gore)

Ostale varijante mehanizma za diskusiju

pn0102



Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom



PROJEKтни TIM	potpis	datum	16.11.2004.	Naziv	pn 102 Troosna horizontalna glodalica sa paralelnom kinematikom ("spojke gore")	
dr Miloš Glavonjić				Oznaka		pn102
dr Dragan Milutinović				Listova		
mr Saša Živanović					List	1
				Izvor pod.	Zamena za	

Koordinate karakterističnih tačaka mehanizma pn102. Jedinice mere: dužine u mm.

$$\begin{aligned} c_1 &= 1003.17 \\ c_2 &= 1025.914 \\ c_3 &= 500 \text{ mm} \\ c_4 &= 1029.561 \end{aligned}$$

$$\begin{aligned} z_{p2} &= 10 \\ z_{p3} &= 200 \\ x_{p3} &= 500 \\ y_{01} &= 600 \\ z_{01} &= -400 \\ y_{03} &= 300 \end{aligned}$$

$$\begin{aligned} d &= 150 \\ \alpha &= a \sin\left(\frac{d}{c_4}\right) \end{aligned}$$

Rešenja inverznog (IGP) i direktnog (DGP) geometrijskog problema

Rešenje IGP:

$$p_1 = x_p + c_4 \cdot \cos \alpha - \sqrt{c_1^2 - [(y_p - y_{01} + |d|)^2 + (z_p + z_{p2} - z_{01})^2]}$$

$$p_2 = x_p + \sqrt{c_2^2 - [(y_p - y_{01} - d)^2 + (z_p + z_{p2} - z_{01})^2]}$$

$$p_3 = x_p + x_{p3} + \sqrt{c_3^2 - (z_p + z_{p3})^2}$$

Rešenje DGP:

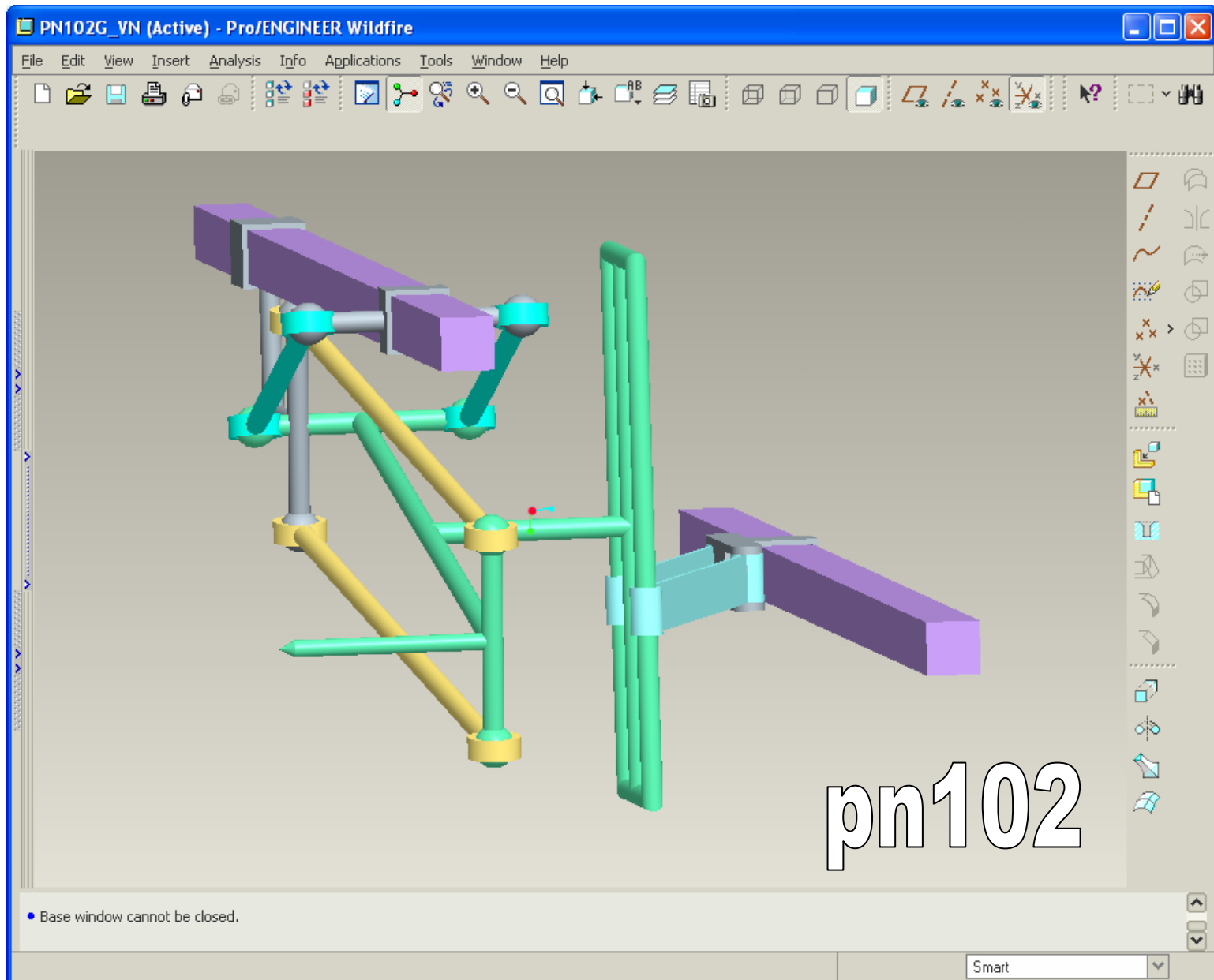
$$x_p = \frac{c_1^2 - c_2^2 + p_2^2 - (p_1 - c_4 \cdot \cos \alpha)^2}{2(p_2 - p_1 + c_4 \cos \alpha)}$$

$$z_p = -z_{p3} - \sqrt{c_3^2 - (x_p - (p_3 - x_{p3}))^2}$$

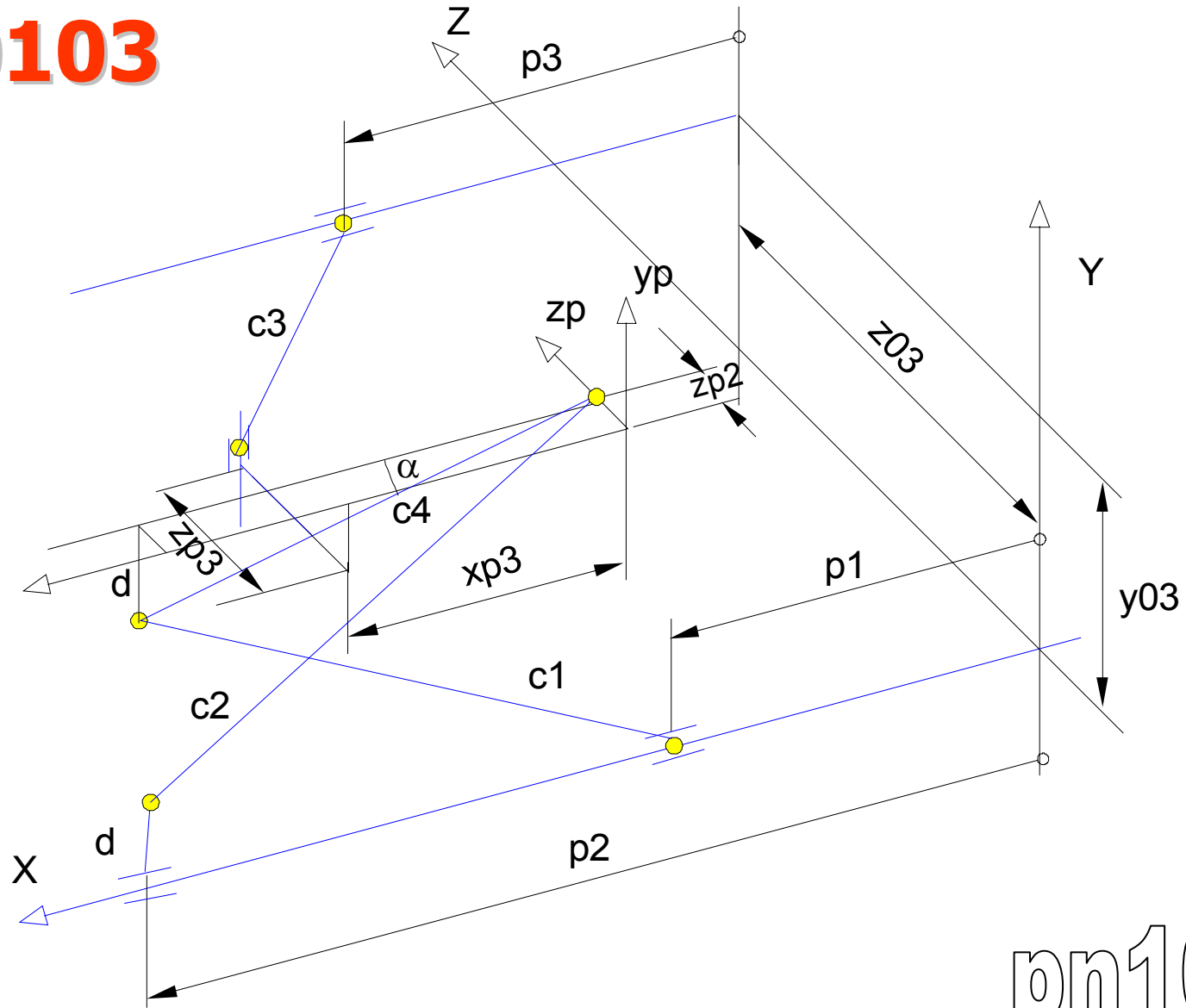
$$y_p = y_{01} + d - \sqrt{c_2^2 - (x_p - p_2)^2 - (z_p + z_{p2} - z_{01})^2}$$



Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom

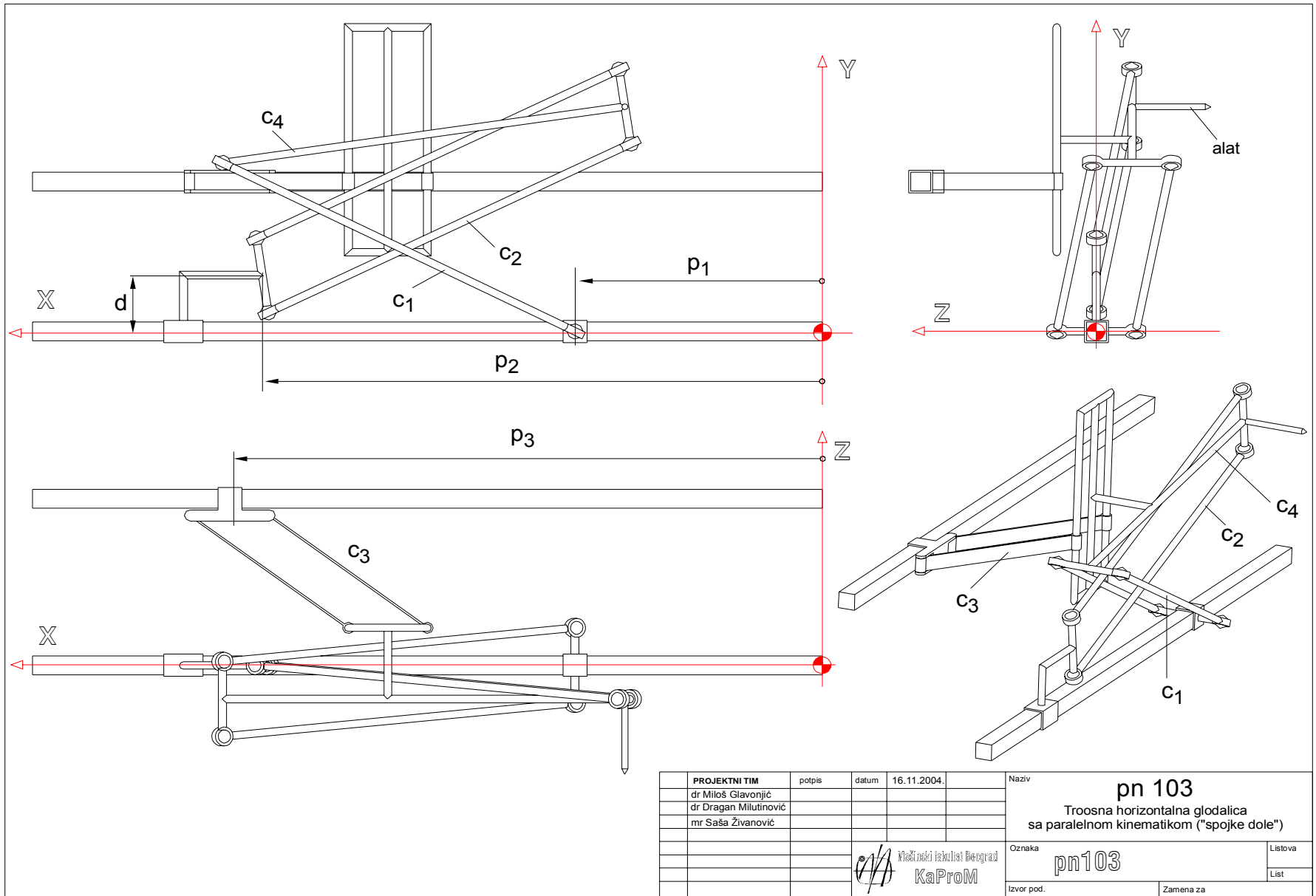


pn0103

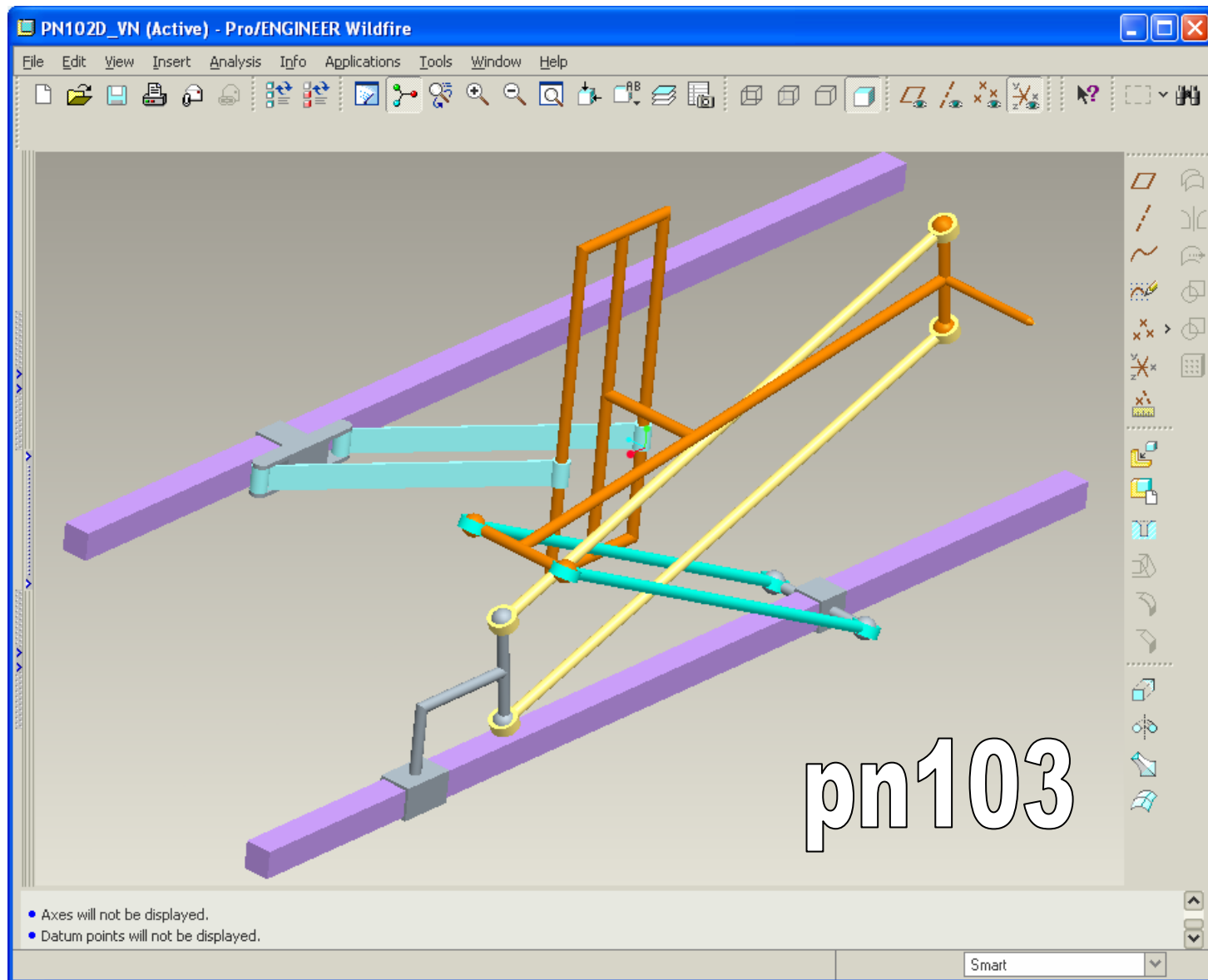


pn103

Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom



Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom

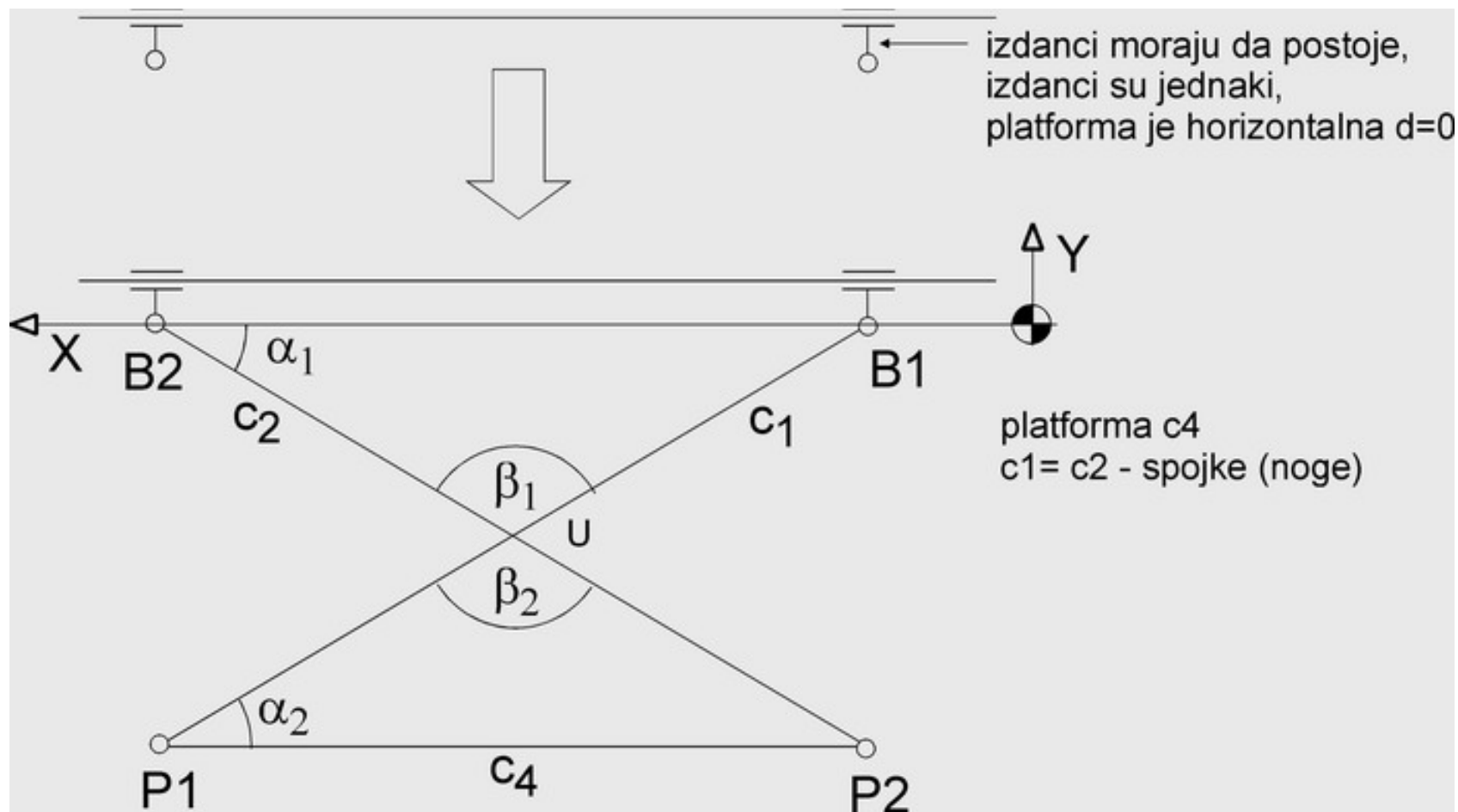


Koordinate karakterističnih tačaka mehanizma pn103. Jedinice mere: dužine u mm.		
$c_1=1003.17$ $c_2=1025.914$ $c_3= 500 \text{ mm}$ $c_4= 1029.561$	$z_{p2}= 10$ $z_{p3}=200$ $z_{03}=400$ $x_{p3}=600$	$d=150$ $\alpha = a \sin\left(\frac{d}{c_4}\right)$

Rešenja inverznog (IGP) i direktnog (DGP) geometrijskog problema

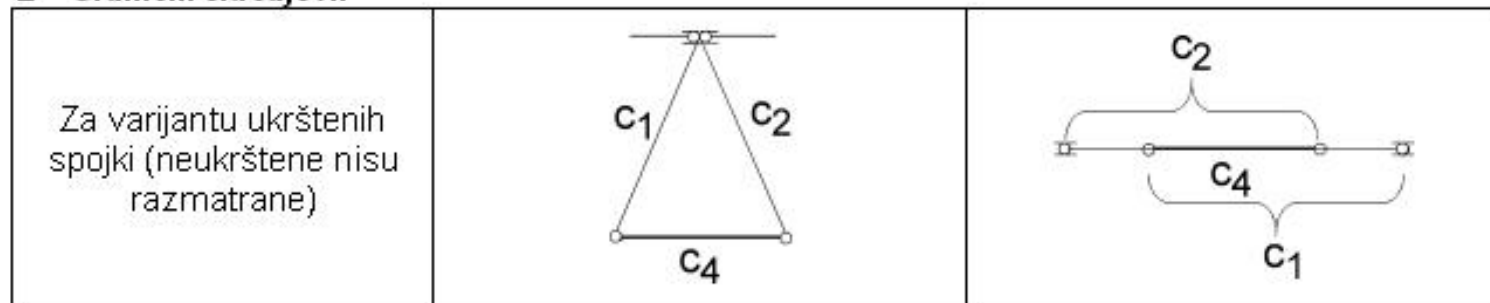
Rešenje IGP:
$p_1 = x_p + c_4 \cdot \cos \alpha - \sqrt{c_1^2 - [(y_p - d)^2 + (z_p + z_{p2})^2]}$
$p_2 = x_p + \sqrt{c_2^2 - [(y_p - d)^2 + (z_p + z_{p2})^2]}$
$p_3 = x_p + x_{p3} + \sqrt{c_3^2 - (z_p + z_{p3} - z_{03})^2}$
Rešenje DGP:
$x_p = \frac{c_1^2 - c_2^2 + p_2^2 - (p_1 - c_4 \cdot \cos \alpha)^2}{2(p_2 - p_1 + c_4 \cos \alpha)}$
$z_p = z_{03} - z_{p3} - \sqrt{c_3^2 - (x_p - (p_3 - x_p - x_{p3}))^2}$
$y_p = d + \sqrt{c_2^2 - (x_p - p_2)^2 - (z_p + z_{p2})^2}$

VARIJANTE MEHANIZMA pn 102



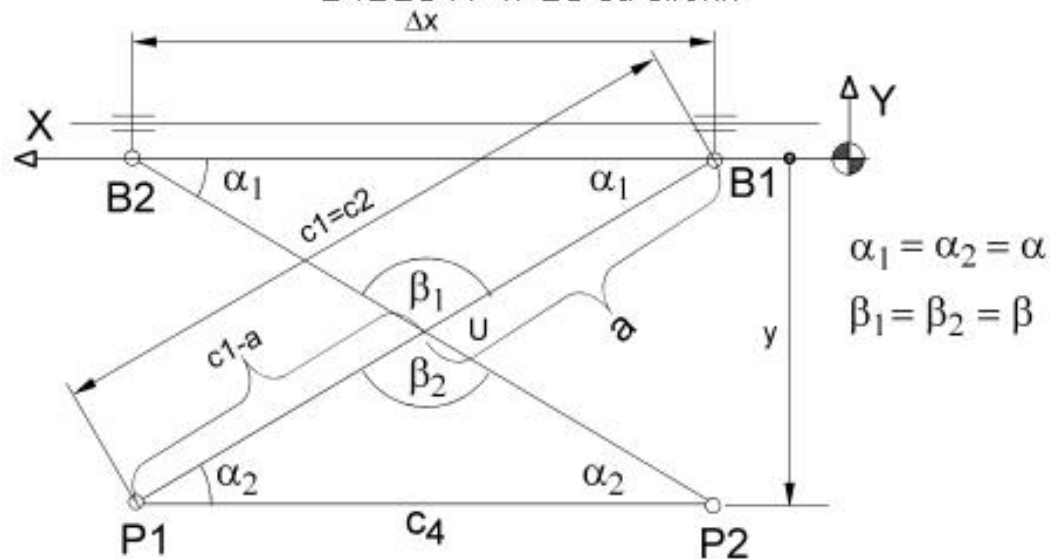
Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom

Granični slučajevi:



- S obzirom da platforma osteje uvek paralelna sama sebi tj. X osi trouglovi B1B2U i P1P2U su uvek jednakokraki i ispada da su skoro uvek slični (osim u graničnim slučajevima).

$\beta_1 = \beta_2$ (unakrsni uglovi) i $\alpha_1 = \alpha_2$ (uglovi sa paralelnim kracima) \Rightarrow trouglovi B1B2U i P1P2U su slični.



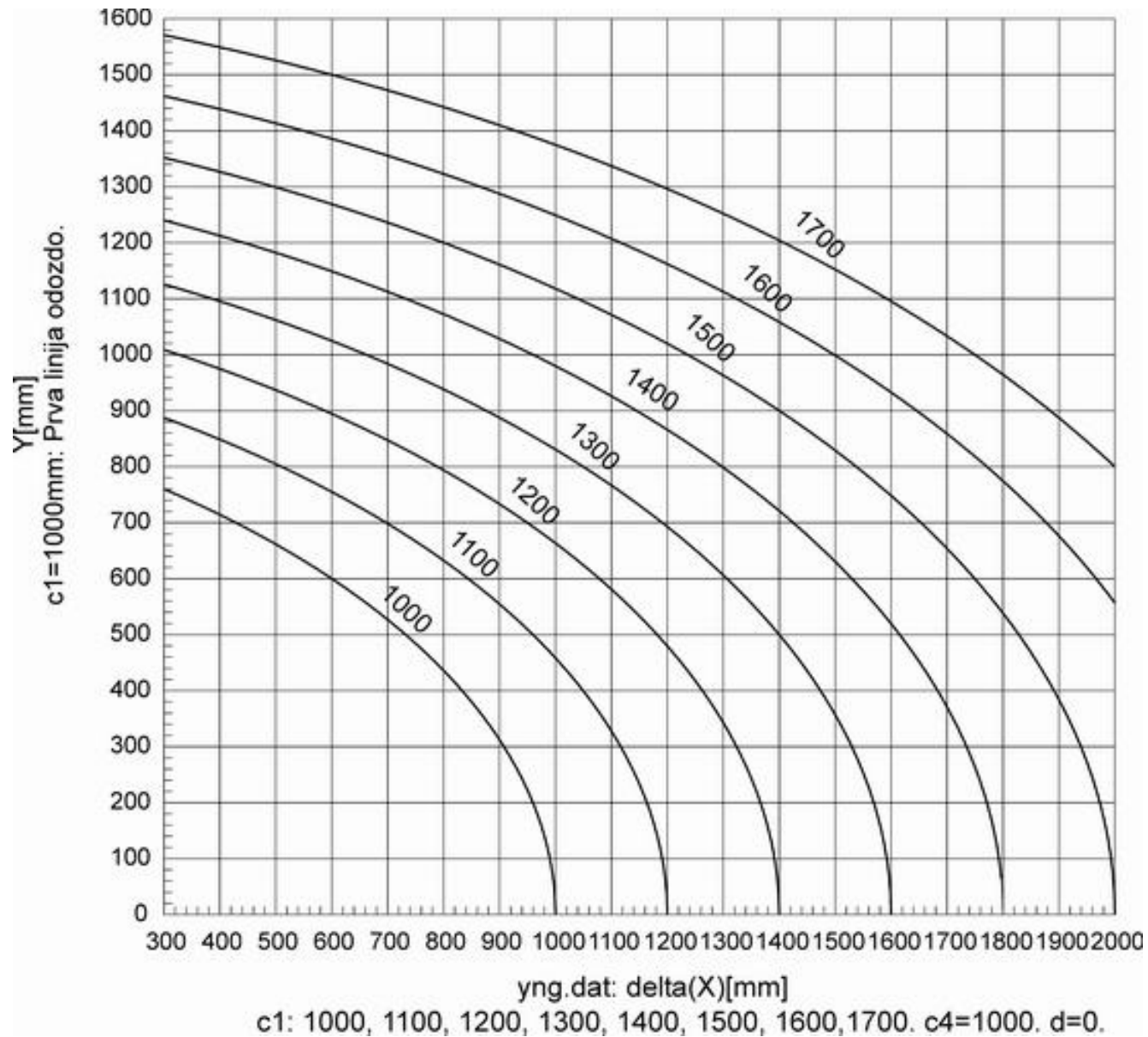
Treba odrediti c_4 , Δx , $c_1 = c_2 = c$ tako da se dobije željeno kretanje od $Y = 800$ mm, odnosno da je $Y_{\max} - Y_{\min} = 800$ mm.

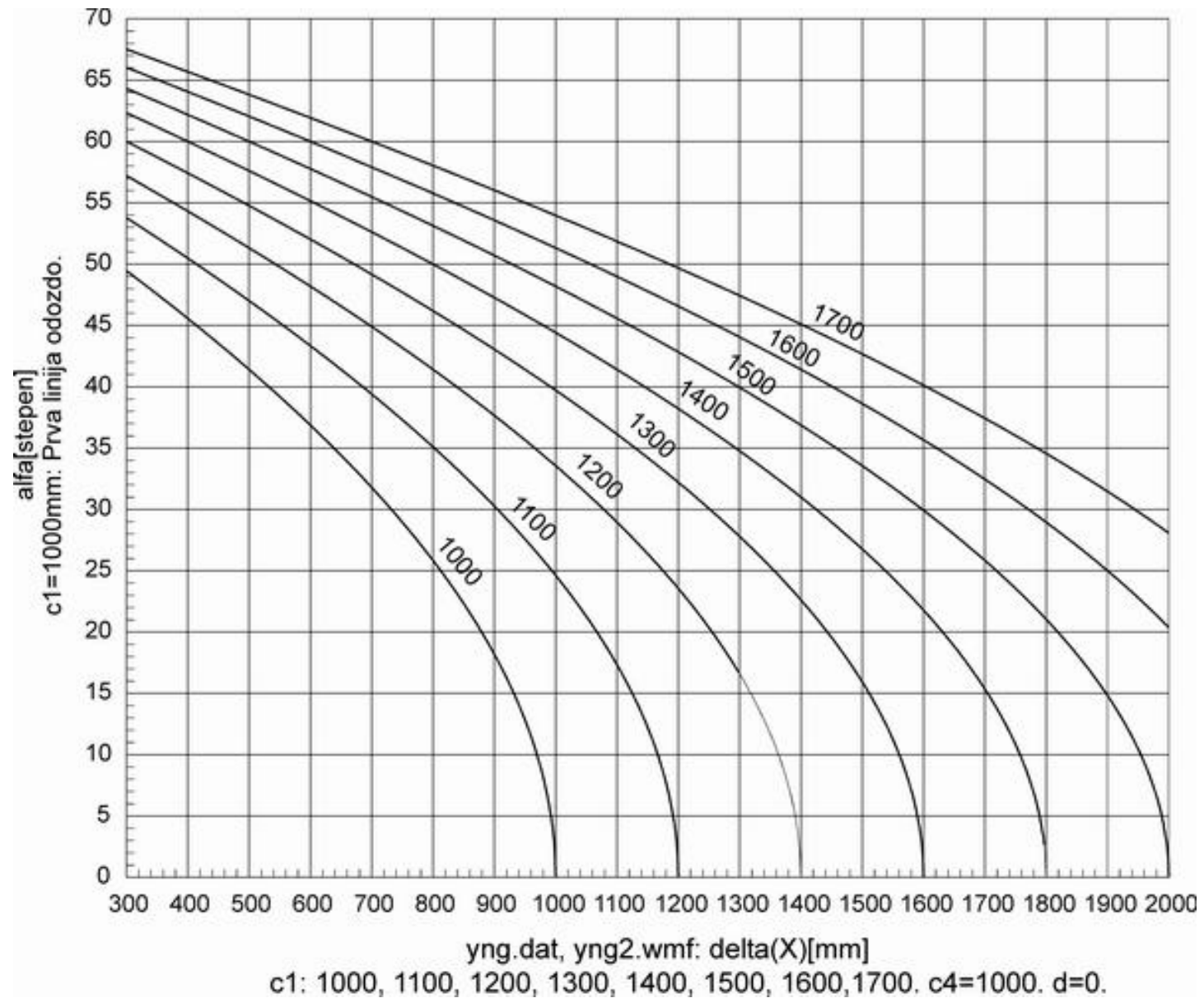
Prema preeliminarnoj analizi sa prethodne strane odnosno na osnovu sličnosti trouglova mogu se postaviti sledeće jednačine:

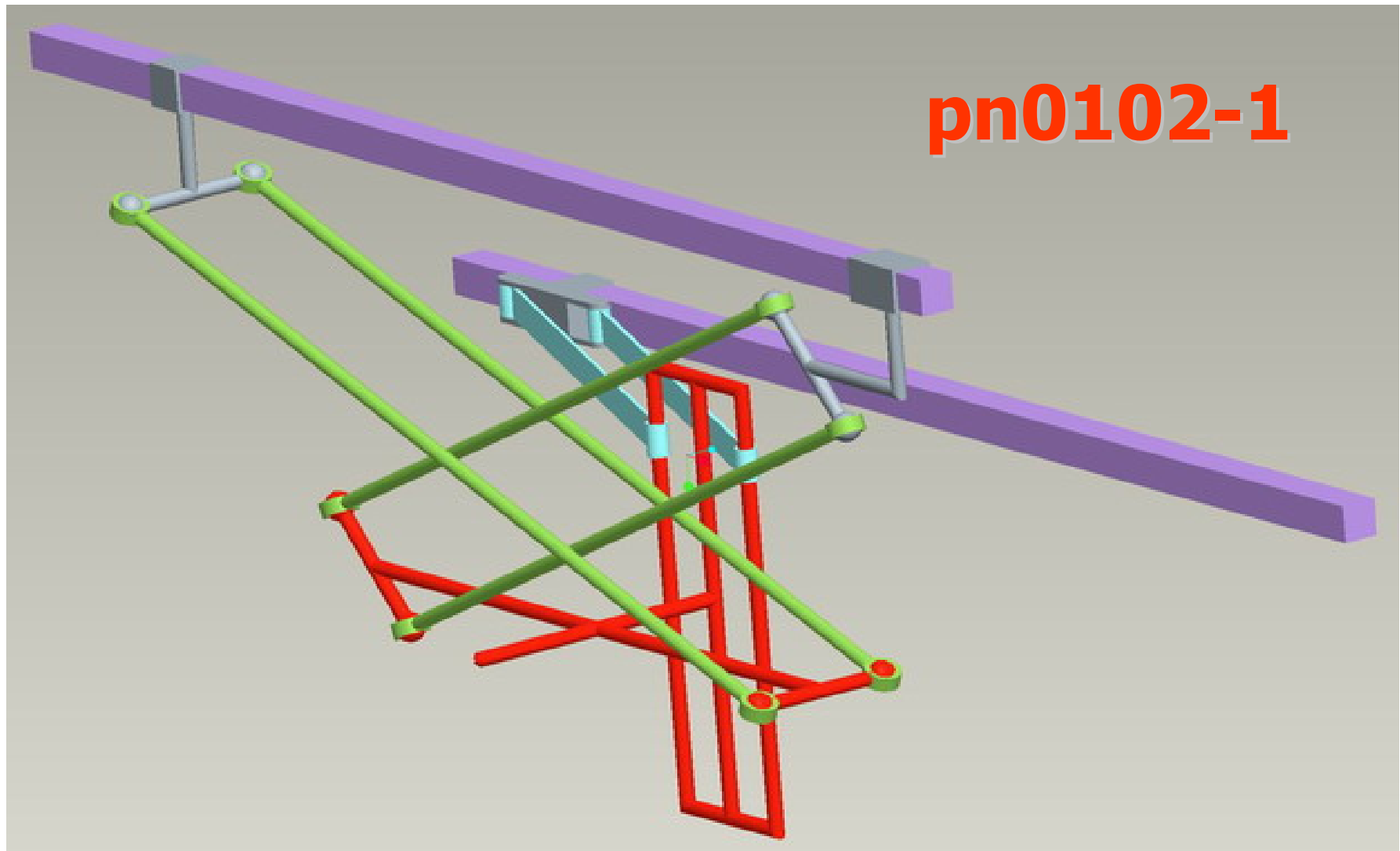
$\frac{\Delta x}{c_4} = \frac{a}{c_1 - a}$ $c_4 a = \Delta x c_1 - \Delta x a$ $a(c_4 + \Delta x) = \Delta x c_1$ $a = \frac{\Delta x \cdot c_1}{c_4 + \Delta x}$	$\cos \alpha = \frac{\Delta x}{2a}$ $\alpha = a \cos\left(\frac{\Delta x}{2a}\right)$ $\beta = 180 - 2\alpha$ $y = c_1 \cdot \sin \alpha$
---	---



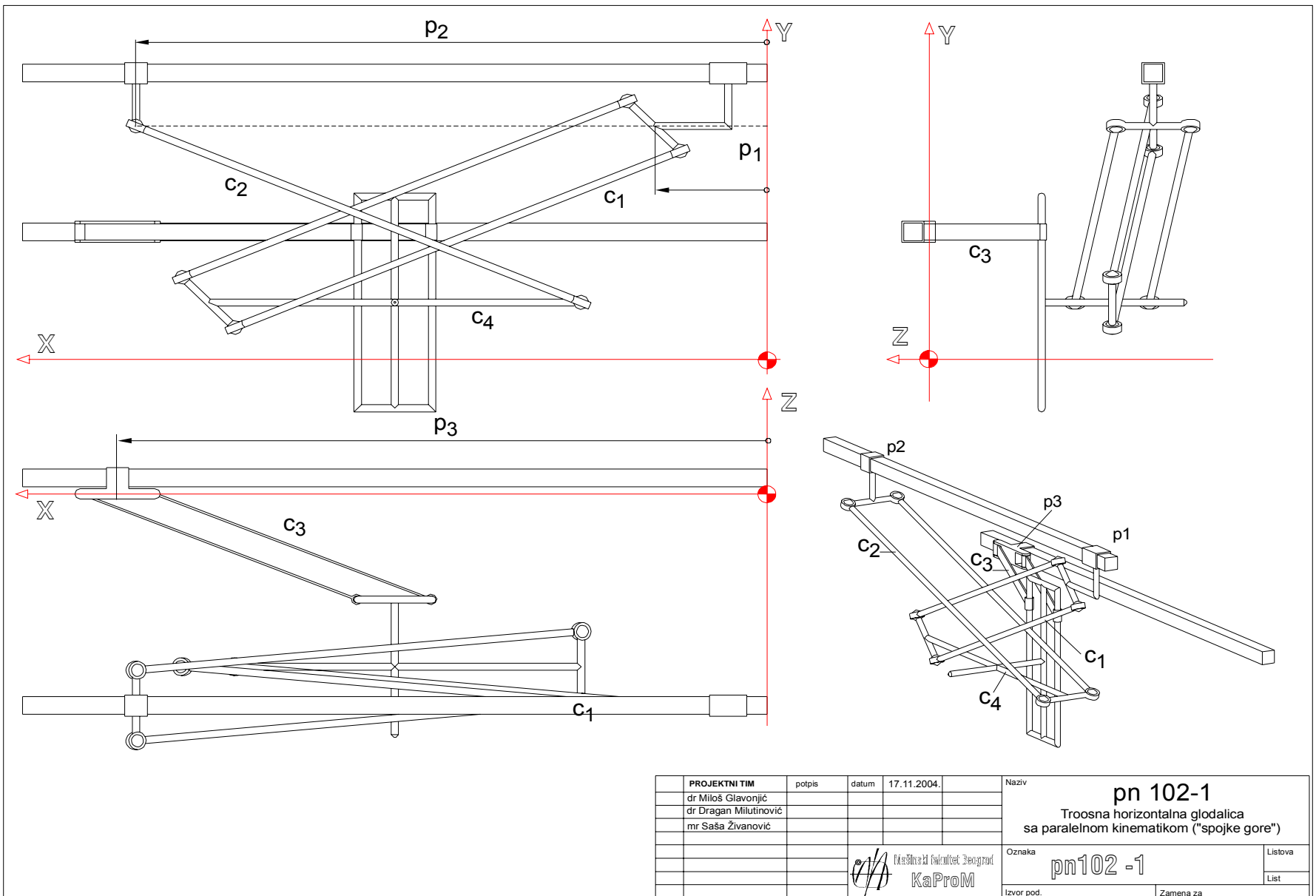
Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom







Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom



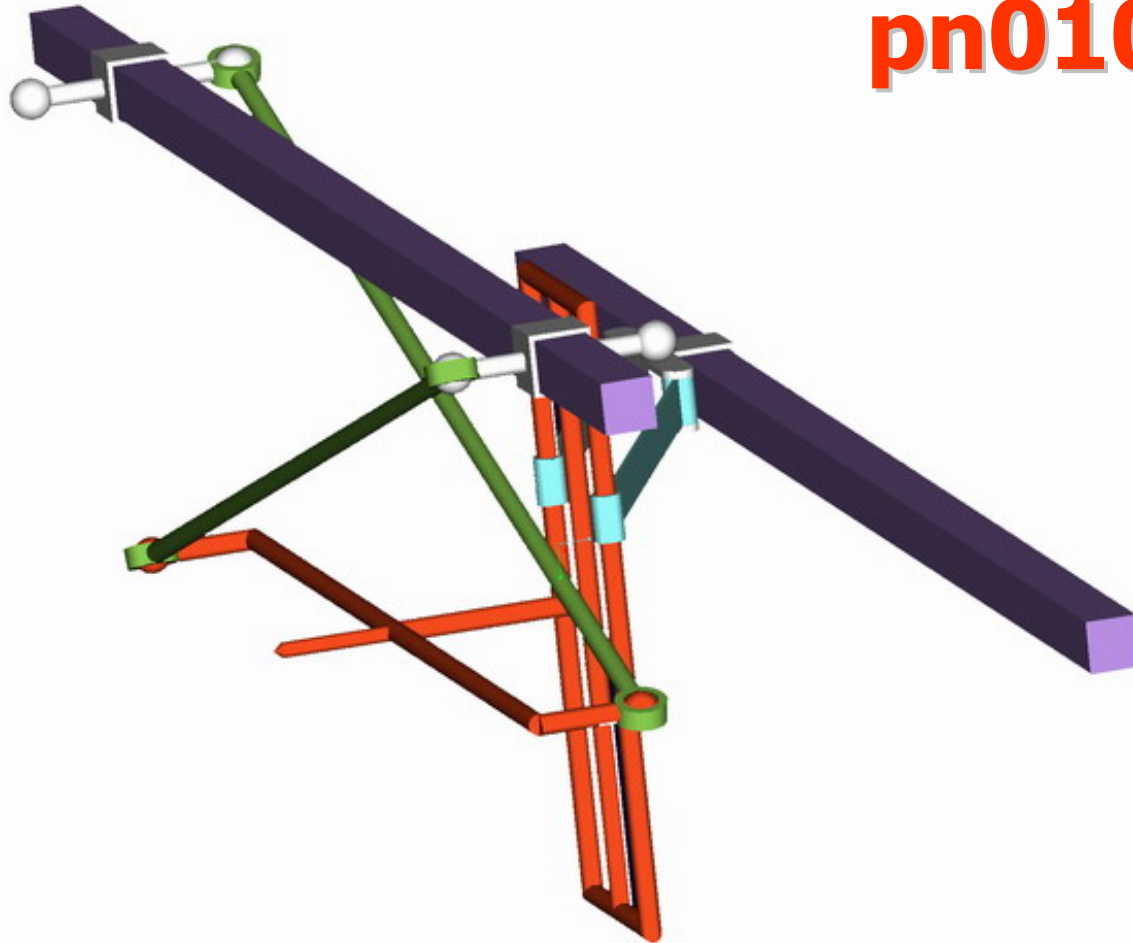
Koordinate karakterističnih tačaka mehanizma pn102-1. Jedinice mere: dužine u mm.		
$c_1=1300$ $c_2=1300$ $c_3= 800$ $c_4= 1000$	$z_{p2}= 10$ $z_{p3}=200$ $x_{p3}=500$ $y_{01}=600$ $z_{01}=-600$ $y_{03}=300$	$d=0$ $\alpha = 0$

Rešenja inverznog (IGP) i direktnog (DGP) geometrijskog problema

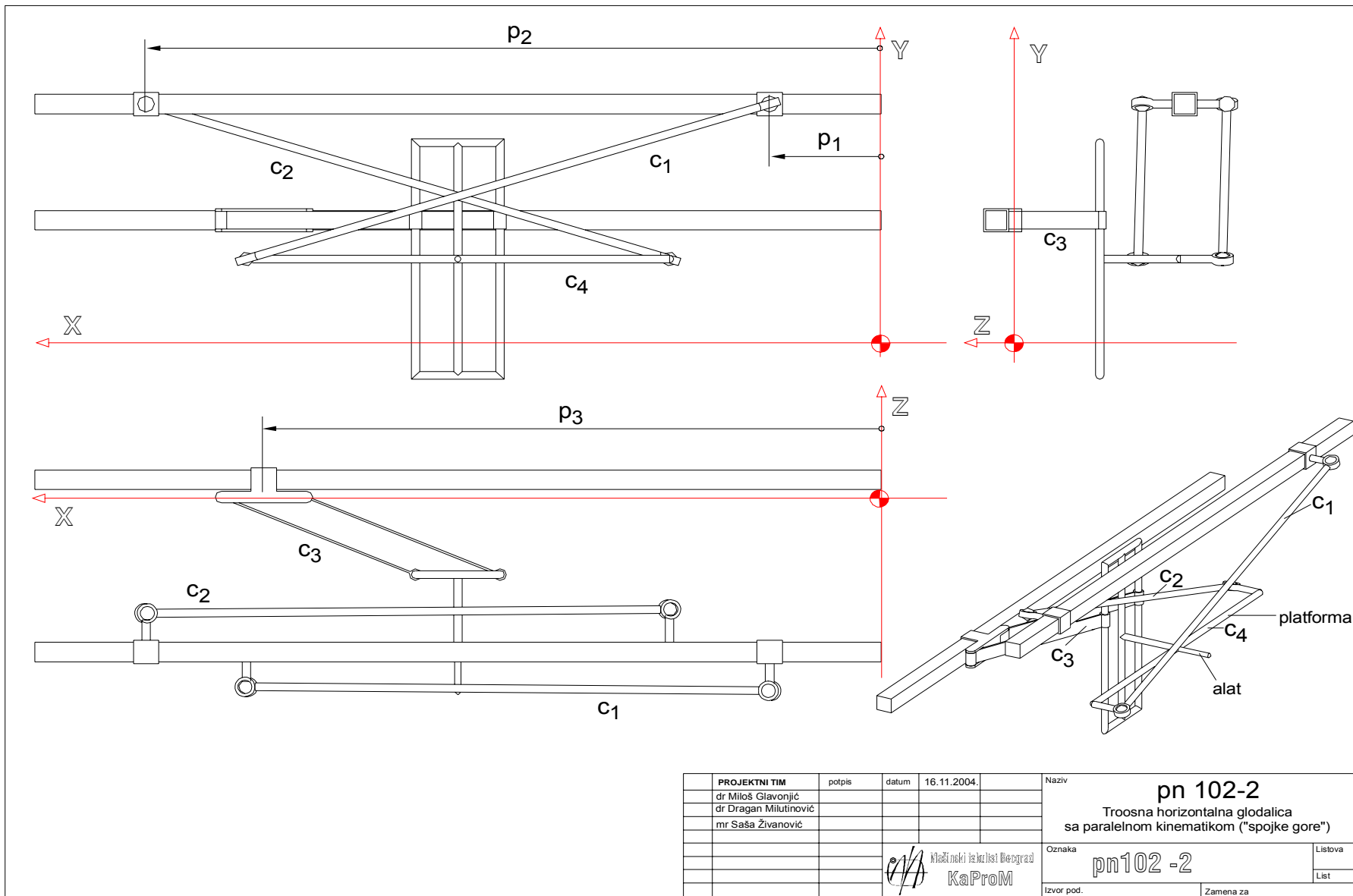
Rešenje IGP:
$p_1 = x_p + c_4 - \sqrt{c_1^2 - [(y_p - y_{01})^2 + (z_p + z_{p2} - z_{01})^2]}$
$p_2 = x_p + \sqrt{c_2^2 - [(y_p - y_{01})^2 + (z_p + z_{p2} - z_{01})^2]}$
$p_3 = x_p + x_{p3} + \sqrt{c_3^2 - (z_p + z_{p3})^2}$
Rešenje DGP:
$x_p = \frac{c_1^2 - c_2^2 + p_2^2 - (p_1 - c_4)^2}{2(p_2 - p_1 + c_4)}$
$z_p = -z_{p3} - \sqrt{c_3^2 - (x_p - (p_3 - x_{p3}))^2}$
$y_p = y_{01} - \sqrt{c_2^2 - (x_p - p_2)^2 - (z_p + z_{p2} - z_{01})^2}$



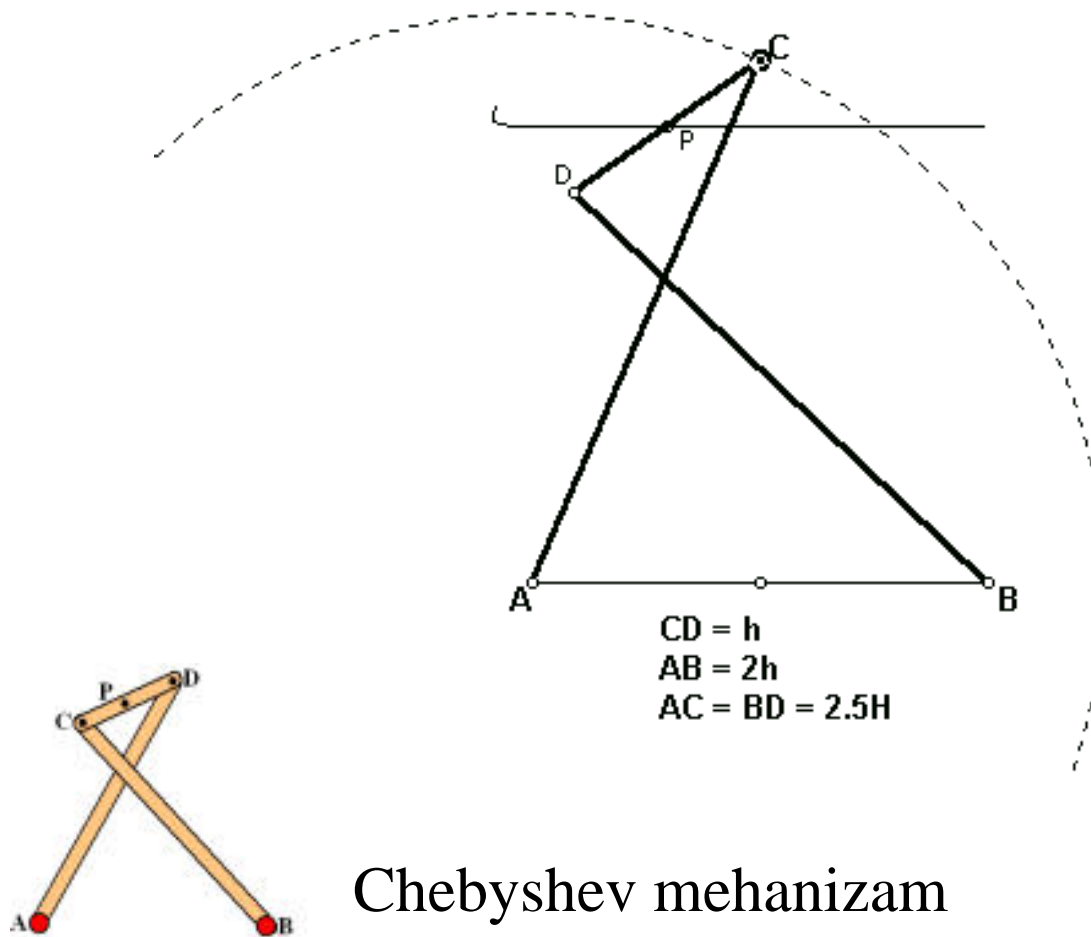
pn0102-2

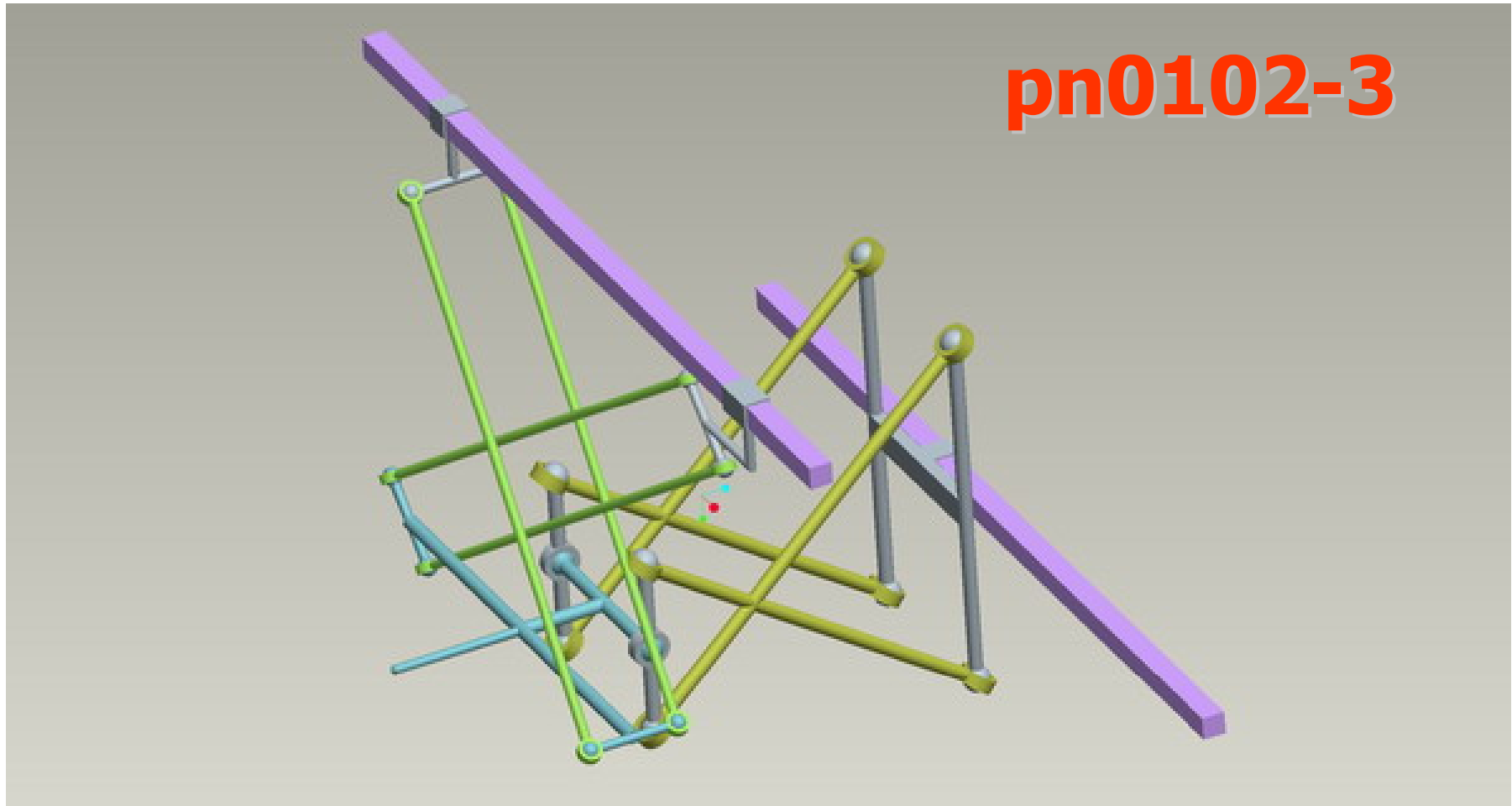


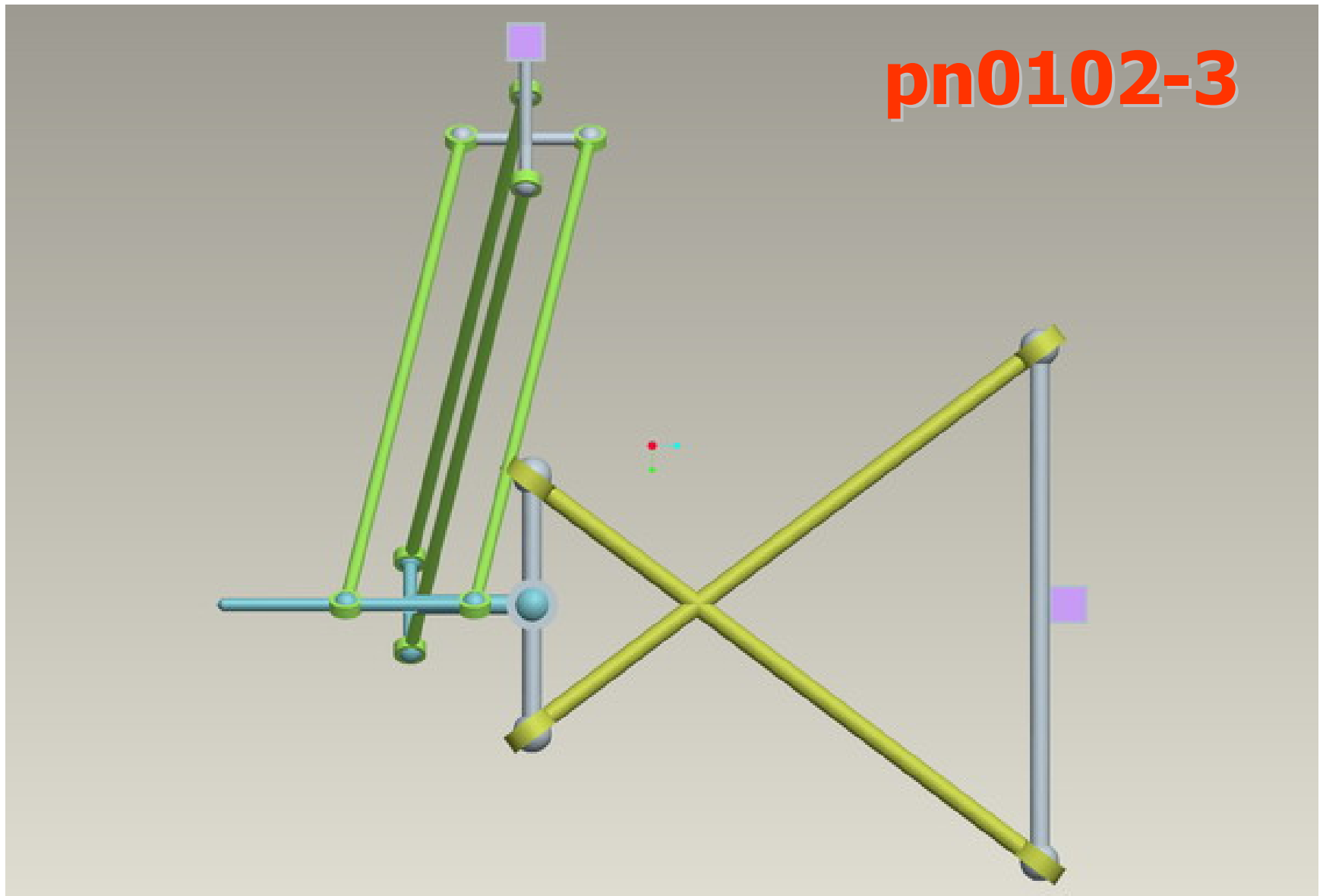
Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom



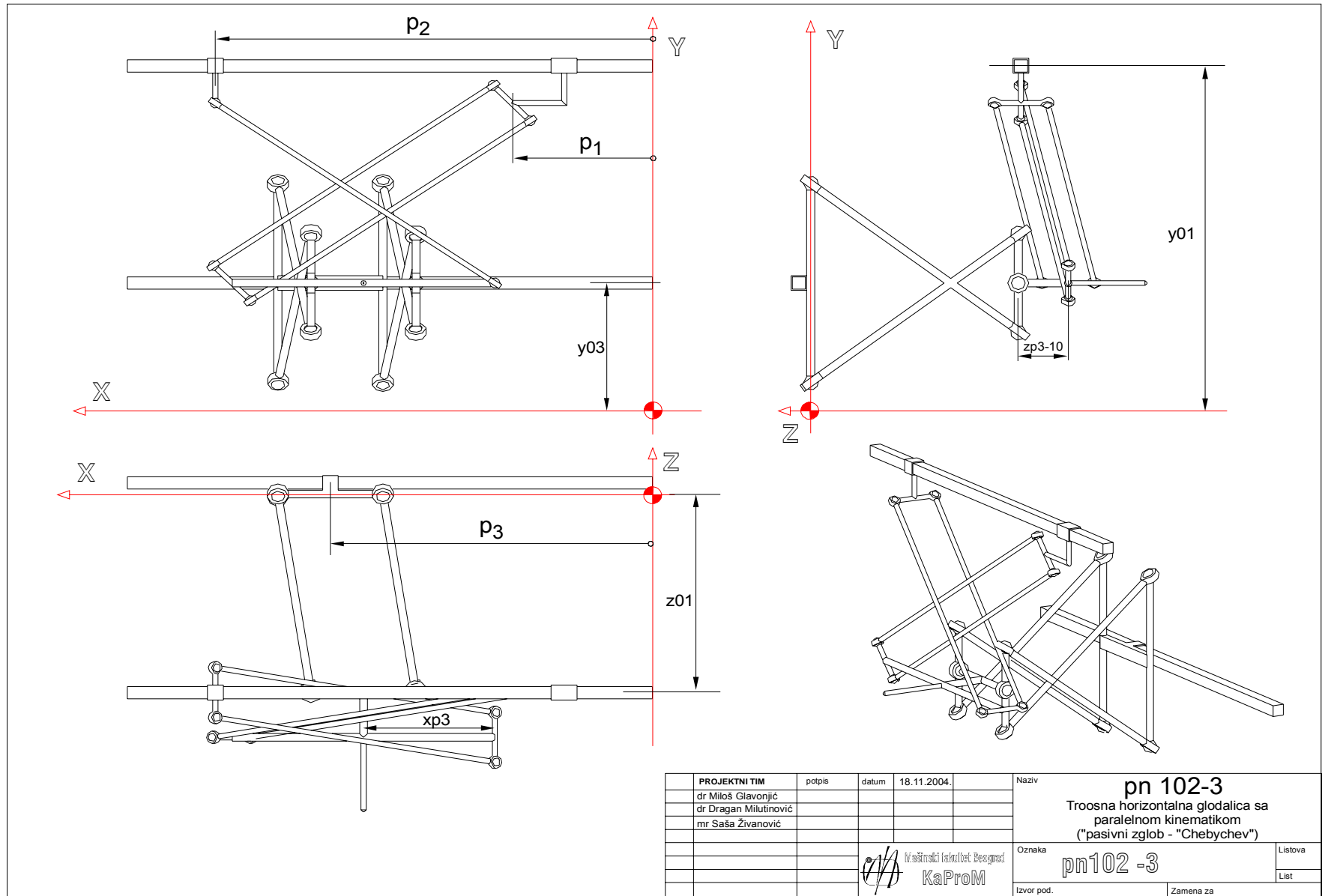
PROJEKTI TIM		potpis	datum	16.11.2004.	Naziv
dr Miloš Glavonjić					pn 102-2 Troosna horizontalna glodalica sa paralelnom kinematikom ("spojke gore")
dr Dragan Milutinović					
mr Saša Živanović					
					Oznaka
					pn102 -2
					Izvor pod.
					Zamena za
					Listova
					List







Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom



PROJEKTI TIM				potpis	datum	18.11.2004.	Naziv	pn 102-3	
dr Miloš Glavonjić							Troosna horizontalna glodalica sa paralelnom kinematikom ("pasivni zglob - "Chebychev")		
dr Dragan Milutinović							Oznaka	pn102 -3	Listova
mr Saša Živanović									List
							Izvor pod.	Zamena za	
							 KaProM		

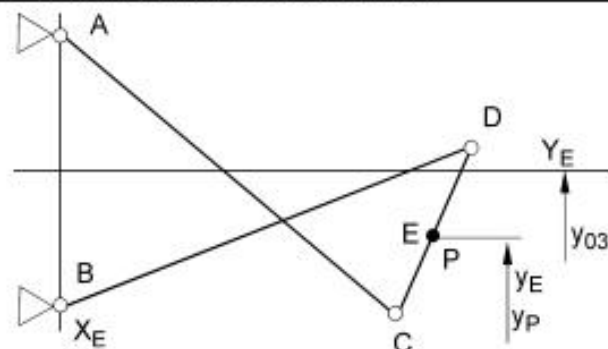
Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom

Koordinate karakterističnih tačaka mehanizma pn102-3. Jedinice mere: dužine u mm.

$$\begin{aligned} c_1 &= 1300 \\ c_2 &= 1300 \\ c_3 &= 800 \\ c_4 &= 1000 \\ d &= 0, \alpha = 0 \\ c &= 200 \end{aligned}$$

$$\begin{aligned} \overline{AB} &= 4c \\ \overline{AC} &= \overline{BD} = 5c \\ \overline{CE} &= \overline{ED} = c \end{aligned}$$

$$\begin{aligned} z_{p2} &= 10 \\ z_{p3} &= 200 \\ x_{p3} &= 500 \\ y_{01} &= 1425 \\ z_{01} &= -800 \\ y_{03} &= 700 \end{aligned}$$



Rešenja inverznog (IGP) [i direktnog (DGP)] geometrijskog problema

Račun za c3:

$$s_1 = 21c^2 + 8cx_E - 4x_E^2$$

$$s_2 = -2x_E - 4c$$

$$s_3 = -8.5c^2 - 0.5s_1 - 2x_E^2$$

$$s_{11} = 2(s_2 - 4c + 2x_E)$$

$$s_{12} = s_2^2 - 2s_3 + 5c^2 + s_1 + 16cx_E$$

$$s_{13} = -2s_2s_3 + 84c^3 - 84c^2x_E + 4cs_1$$

$$s_{14} = s_3^2 - 21c^2s_1$$

$$s_{21} = s_{12}/s_{11}$$

$$s_{22} = s_{13}/s_{11}$$

$$p = (3s_{22} - s_{21}^2)/3$$

$$q = \frac{27 + s_{23} + 2s_{21}^3 - 9s_{21}s_{22}}{27}$$

$$\varphi = \arccos(3q/(2p\sqrt{-p/3}))$$

$$x_c = 2\sqrt{-p/3} \cos((\varphi + 4\pi)/3) - s_{21}/3$$

$$y_c = \sqrt{21c^2 - x_c^2 - 4cx_c}$$

$$x_d = 2x_E - x_c$$

$$y_d = \sqrt{s_1 - x_c^2 - (4c - 4x_E)x_c}$$

$$c_3 = (y_c + y_d)/2$$

Rešenje IGP:

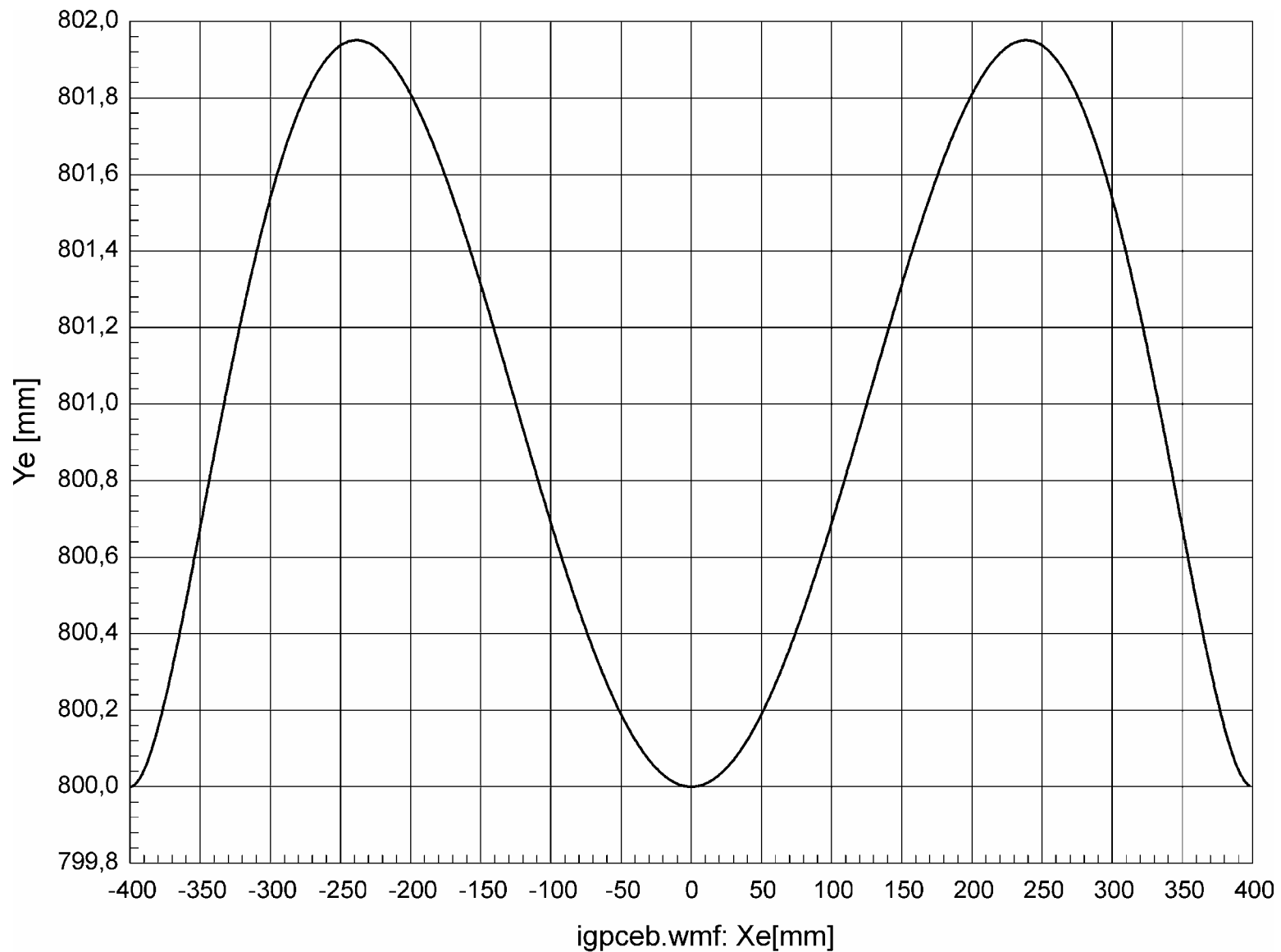
$$\rho_1 = x_p + c_4 - \sqrt{c_1^2 - [(y_p - y_{01})^2 + (z_p + z_{p2} - z_{01})^2]}$$

$$\rho_2 = x_p + \sqrt{c_2^2 - [(y_p - y_{01})^2 + (z_p + z_{p2} - z_{01})^2]}$$

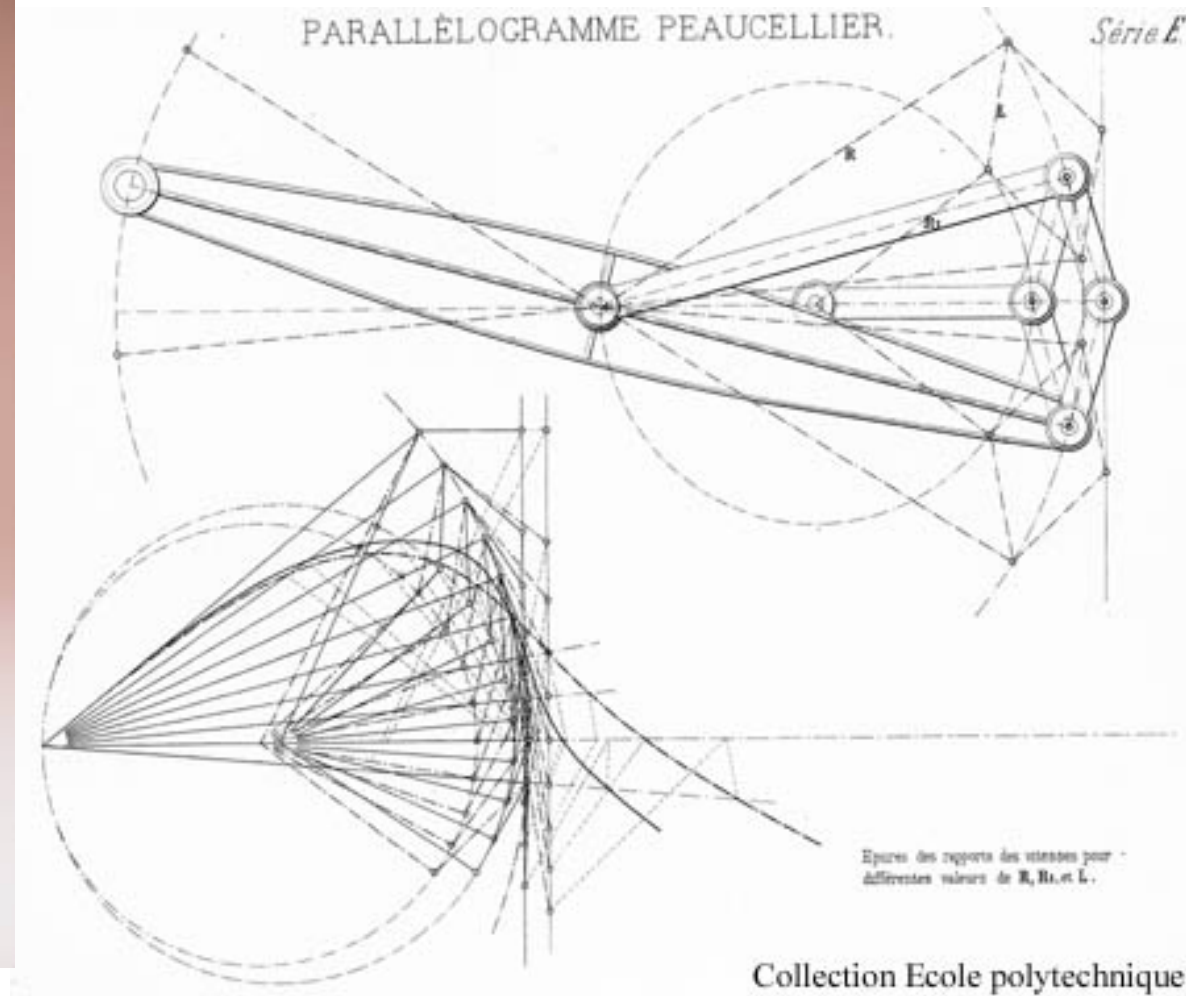
$$\rho_3 = x_p + x_{p3} + \sqrt{c_3^2 - (z_p + z_{p3})^2}$$

Rešenje DGP:

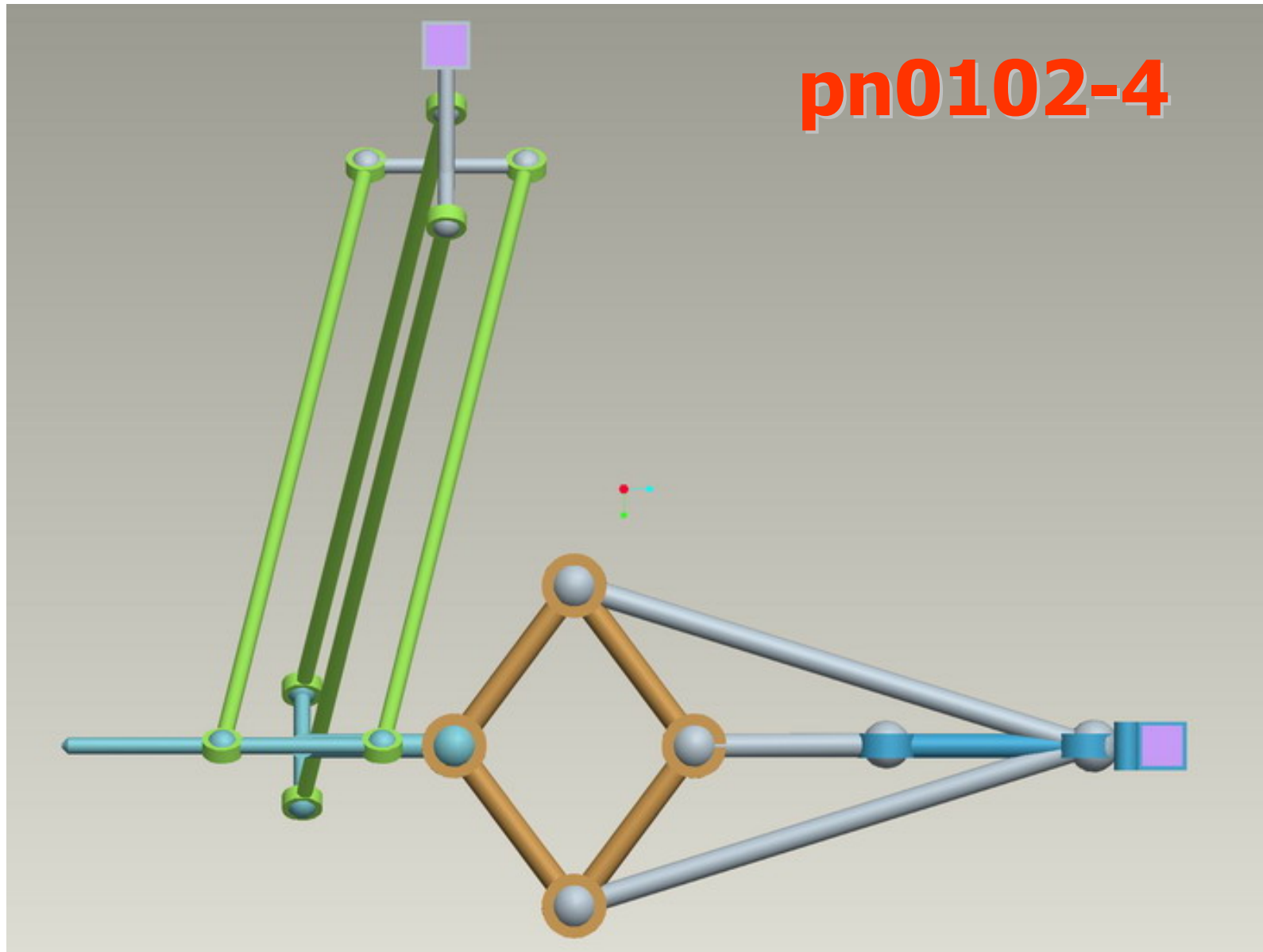
Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom



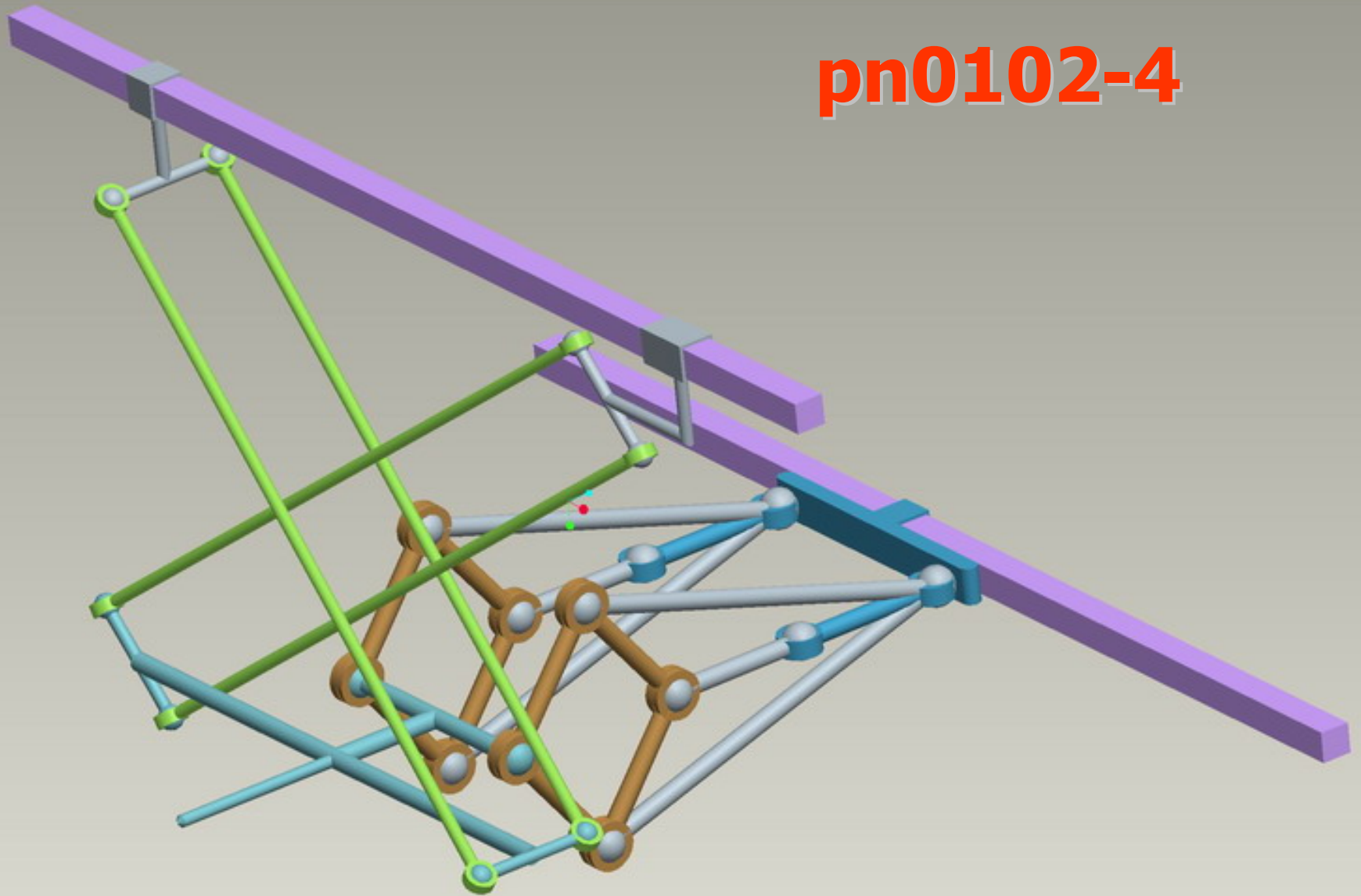
igpceb.wmf: X_e [mm]
Parametar c mehanizma Cebisev: 200 mm. Koncepcija masine: pn102_3.



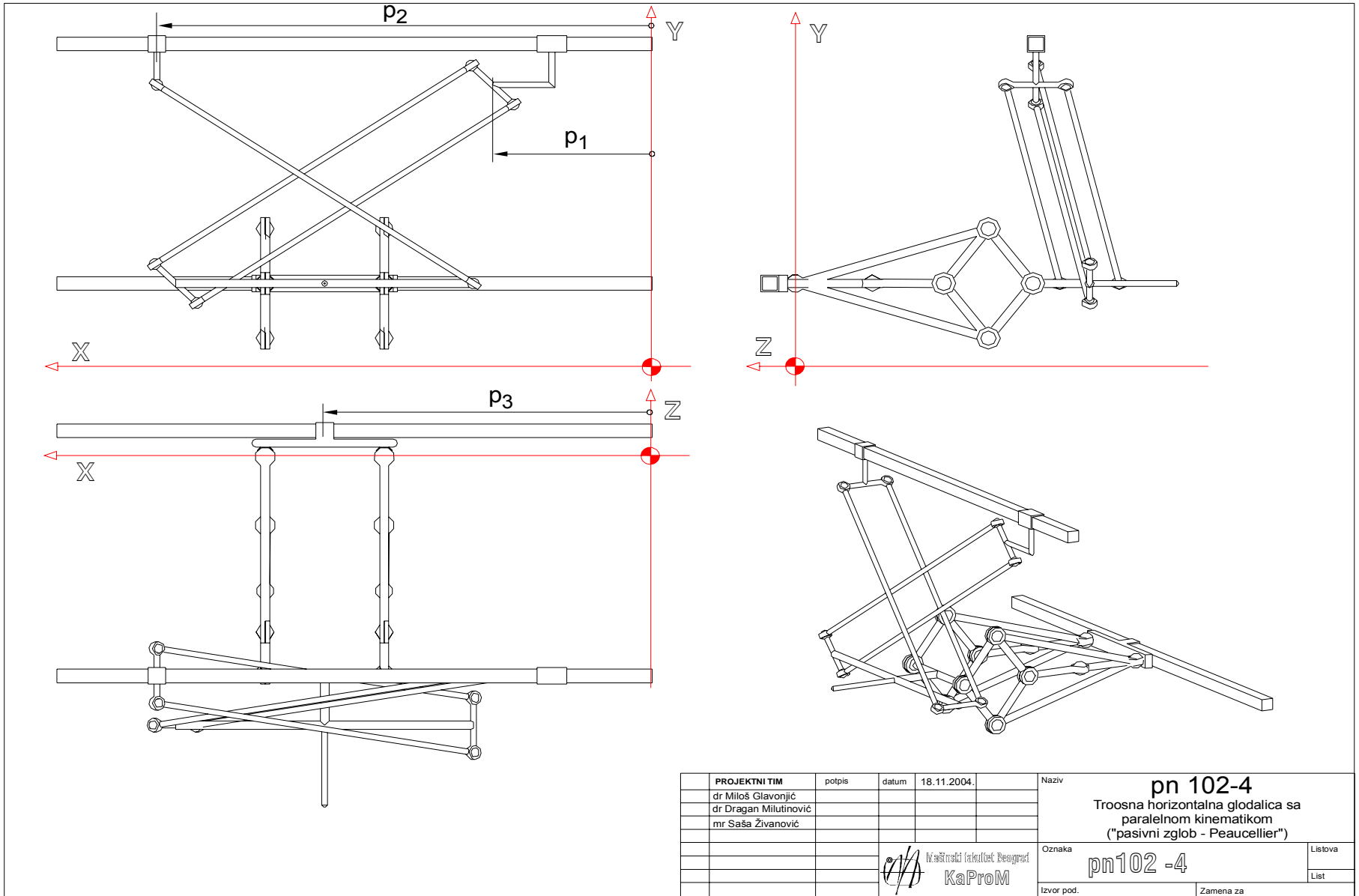
Peaucellier mehanizam



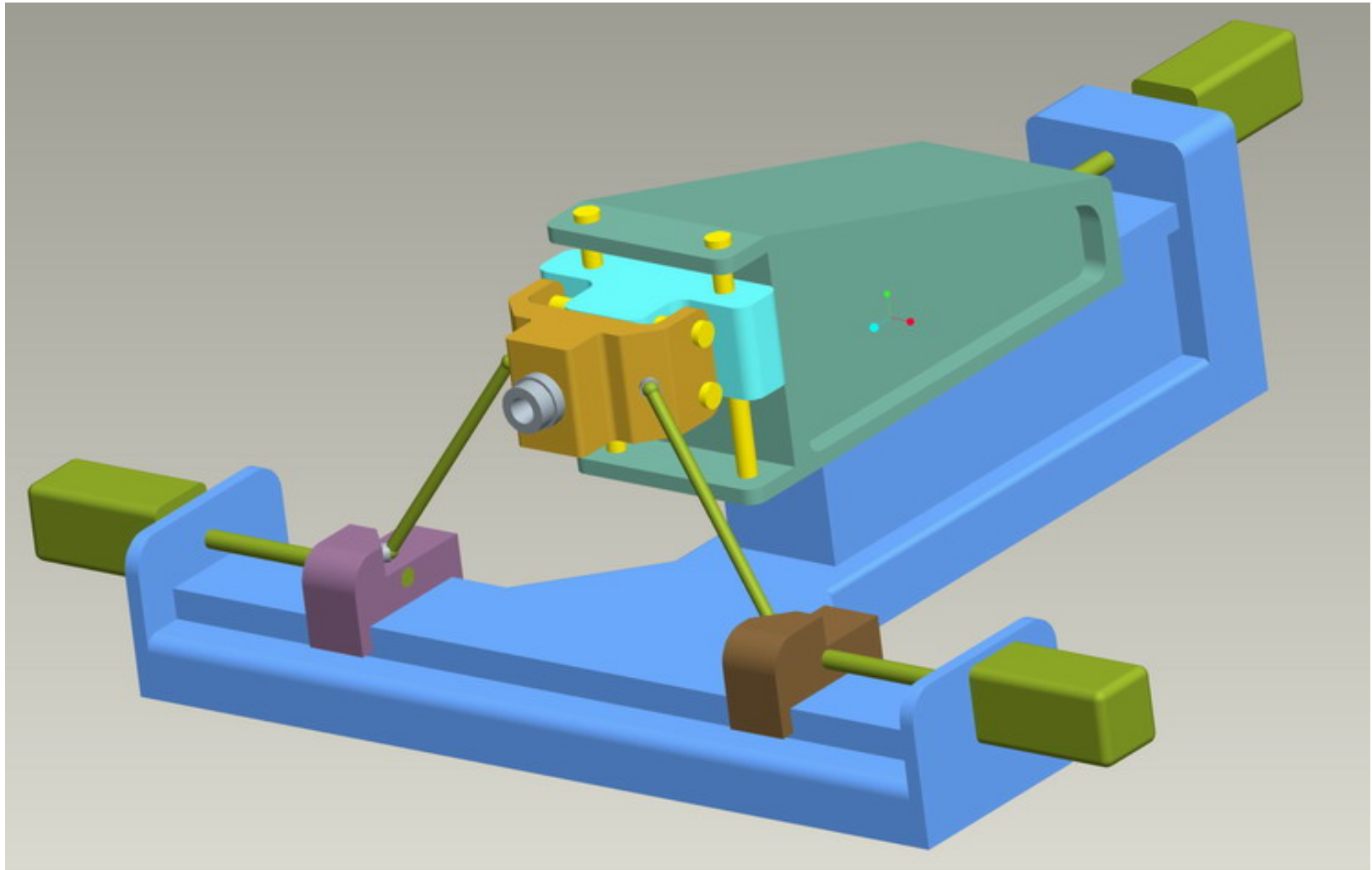
pn0102-4

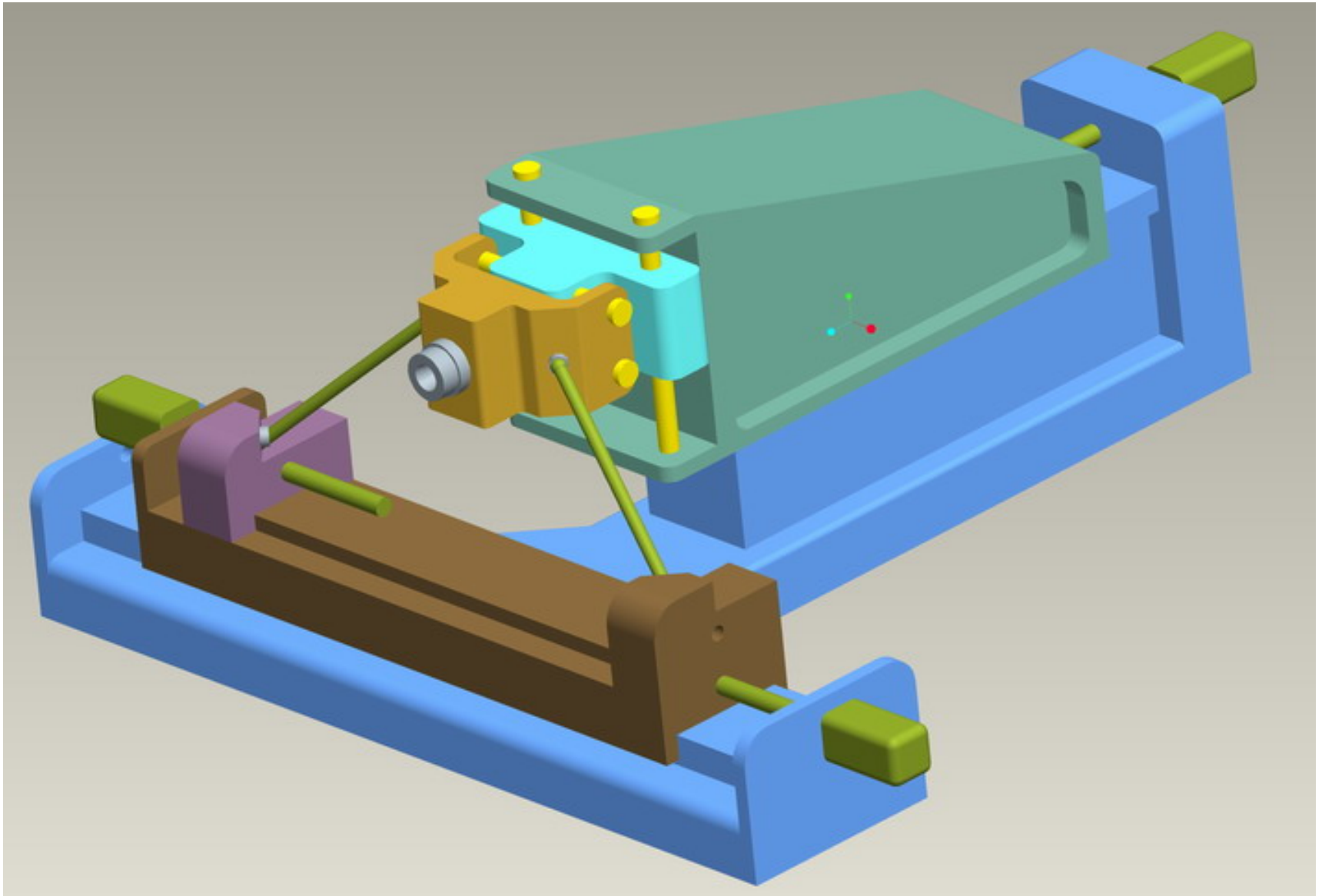


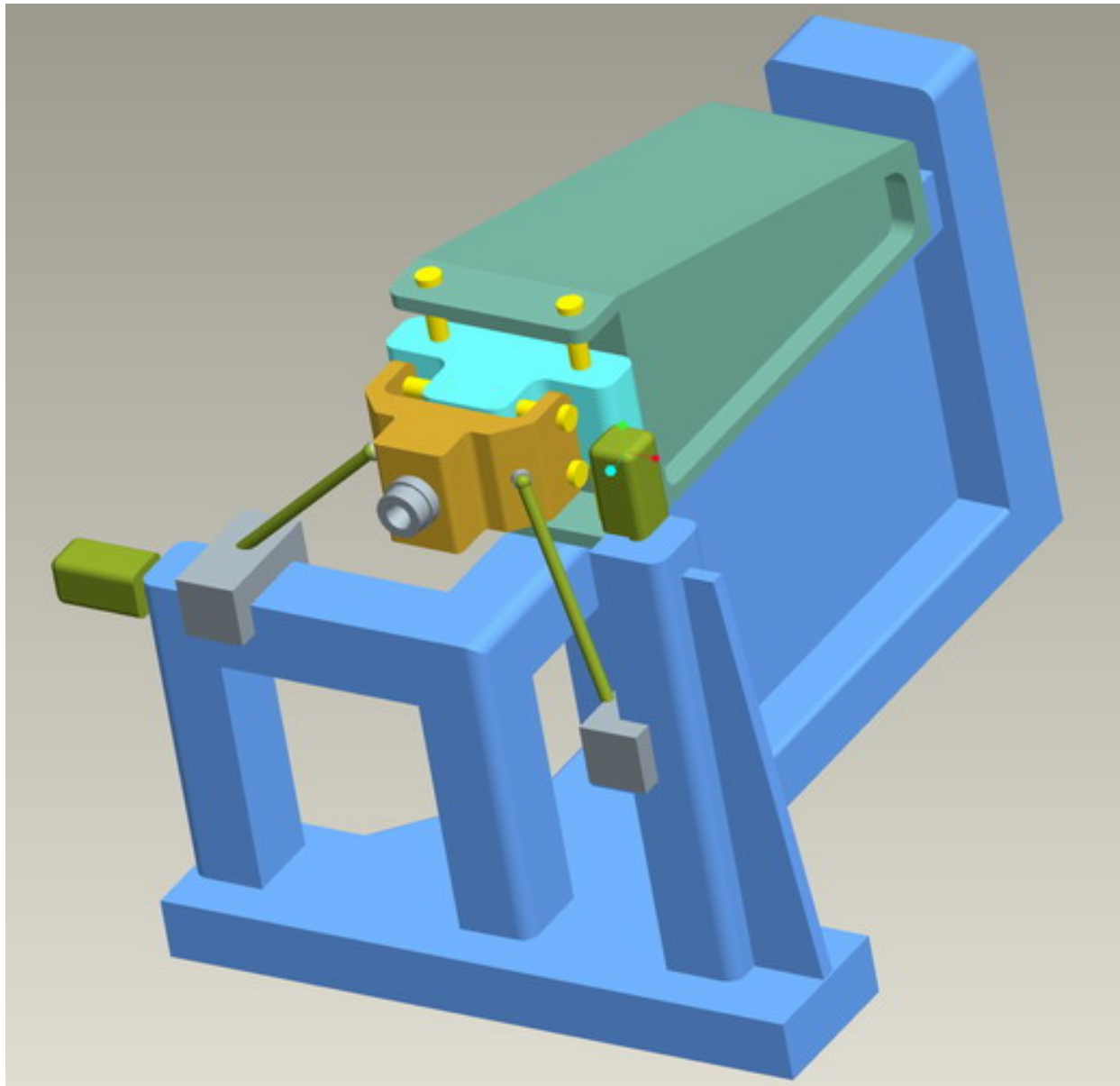
Polazne koncepcije prototipa troosne horizontalne mašine sa paralelnom kinematikom

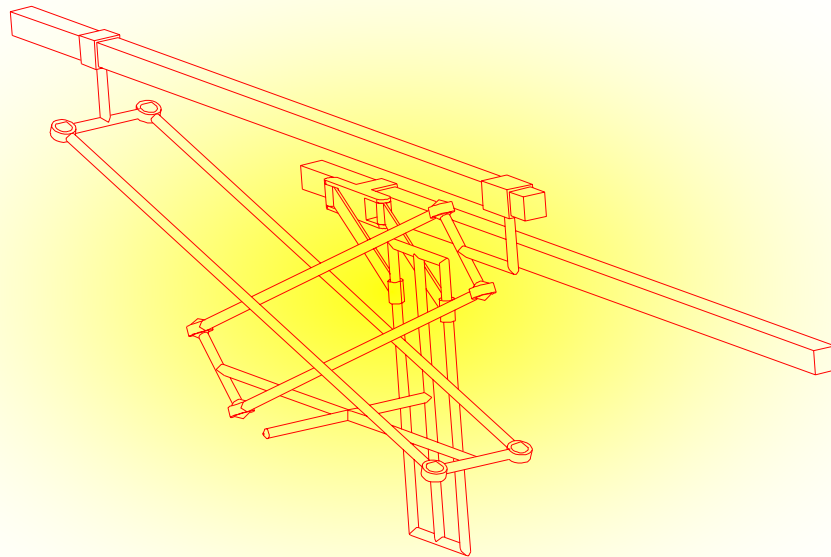


Ostale varijante mehanizma za diskusiju









Hvala na paznji!